

# Design and Assessment of a New Active CM Filtering Architecture for PWM Inverter-Fed Motor Drive Systems

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**Abstract**—The stepwise common-mode (CM) voltage at the output of inverters causes electromagnetic interference (EMI) and damage to motor bearings. This article proposed a new output active CM filter (ACF) to compensate for the steep rising/falling edges of CM voltage for EMI reduction and bearing protection. An input ACF is also necessary to attenuate the CM noise injected into the grid. Hence, a holistic assessment of input and output ACFs for inverter-fed motor drive systems has been demonstrated. The motor drive system satisfies the CM EMI standard with this new active CM filtering architecture. Ferrite materials and winding configurations of the CM transformer used in the output ACF have been investigated. Moreover, the relationship between the input and output ACFs has been discussed. This article aims to provide new perspectives and implementation guidelines for the ACFs in motor drive systems.

**Index Terms**—Active filter, bearing, common-mode (CM) voltage, electromagnetic interference (EMI), motor drive.

## I. INTRODUCTION

**E**LECTRIC motors have been widely used in both household and industrial applications. Pulsewidth modulation (PWM) inverters-fed motor drives offer higher efficiency and better performance compared to traditional ones. However, the common-mode (CM) voltage generated by PWM inverters is stepwise; the high  $dv/dt$  causes CM current through parasitic capacitances, raising concerns of electromagnetic interference (EMI) [1].

A portion of the CM current will flow to the ground through motor bearings. The CM current also generates magnetic flux around the motor shaft and induces a shaft voltage [2], [3]. If this shaft voltage exceeds the insulation of the lubricant film

in bearings, a circulating current will flow through a loop of “shaft-bearings-motor frame.” High bearing current will damage bearings in the forms of fluting, frosting, pitting, spark tracks, and welding [4], and finally lead to bearing failure. The mitigation methods for bearing failure can be classified into three approaches [5]: first, reinforce the insulation of bearings by using isolated bearings, such as ceramic bearings; second, bypass the bearing with a low-impedance path, such as grounding brushes/rings fabricated with conductive microfibers; third, reduce  $dv/dt$  by CM filters or cancellation techniques for paralleled inverters [6].

CM filters are most widely used to reduce EMI and protect bearings due to their low cost, robustness, and flexibility [7], [8], [9], [10]. Passive  $RLC$  filters connected at the output of inverters can effectively reduce  $dv/dt$ , but their high power loss and bulky volume hinder the advance in power efficiency and density [5].

Active CM filters (ACF) are proposed for compactness by using active filtering techniques. There are two types of ACFs, current-compensation and voltage-compensation. The current-compensation ACFs can achieve high attenuation and compact size [11], [12], [13], especially for the voltage-sensing and current-compensation ACFs, since they do not need transformers in either sensing or compensation stage [12], [13]. However, they circulate the CM current while leaving the CM voltage at motor terminals unchanged; only EMI noise flowing into the grid is attenuated, but the bearings still suffer from the original motor CM current. In such cases, an additional  $dv/dt$  filter for bearing protection is required. As an advantage, voltage-compensation ACFs alter the CM voltage profiles and, thus, reduce CM noise and protect bearings simultaneously; this makes voltage-compensation ACFs more suitable for motor drive systems.

A feedforward voltage-compensation ACF for motor drives is proposed in [14], and then continuous works have been devoted to advancing this design. Piazza et al. [15] proposed the use of an external power supply and a step-down turns ratio so that low-voltage bipolar junction transistor (BJTs) can be used in high-voltage applications. Darlington pairs are used in the push-pull amplifier to reduce the loading effect. The push-pull amplifier is of class B type, which may have crossover distortion. Feedback voltage-compensation ACFs have also been proposed as an alternative approach [16], [17]; expensive high-voltage operational amplifiers are required

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for high-voltage motor drives. Furthermore, integrations of feedforward and feedback ACFs have been proposed to pursue better filtering performance [18], [19].

The prior art voltage-compensation ACFs are full-waveform-compensation filters [14], [15], [16], [17], [18], [19]. They duplicate and then compensate for the entire CM voltage, including both steep edges and high-amplitude plateaus. As a result, this will give challenges to designers to find ways to handle large amounts of power consumption, manage heat dissipation, and increase power density. A high inductance is, thus, required to reduce the operating current and power dissipation of the ACFs [11]. In order to reduce power dissipation and inductance, this article proposes a new edge-compensation ACF that compensates for the rising/falling edges of CM voltage only. Both the CM noise spectrum at the grid interface and the CM current flowing through the motor are reduced.

The filters discussed previously are all connected at the output of inverters; thus, they are called output filters. Since output filters cannot attenuate the CM current leaked from inverters, filters connected at the input of inverters are inevitable and are called input filters.

This article proposed a holistic active CM filtering architecture for motor drive systems, including the input ACF proposed in [20] and the new output ACF. The input ACF is used to attenuate CM noise injected into the grid. The output ACF is primarily devoted to reducing  $dv/dt$  for bearing protection; it also aids the input ACF to attenuate the CM noise. The CM voltage at the input side is a small disturbance superimposed on the line voltage; its high-frequency component is much lower than the stepwise CM voltage at the output side. Therefore, the input ACF has lower power consumption and smaller volume than the proposed output ACF, which is used to reduce  $dv/dt$  instead of eliminating CM voltage.

Section II presents the analysis and design procedures of the proposed output ACF. In Section III, the CM performance of the output ACF is evaluated. Ferrite materials and winding configurations of the CM transformer (CMT) used in the output ACF are investigated. A detailed comparison between input and output ACFs have been given.

## II. ANALYSIS AND DESIGN OF THE OUTPUT ACTIVE CM FILTER

The proposed output ACF consists of three stages: reference stage, buffer stage, and output compensation stage. It is shown in Fig. 1.

### A. Design of the Reference Stage

The CMT shown in Fig. 1 has one primary winding ( $L_A$ ) and three secondary windings ( $L_U$ ,  $L_V$ , and  $L_W$ ). An edge-compensation voltage  $v_{com}$  is applied to the primary winding and then coupled to the secondary windings. Upon compensating the inverter-side CM voltage  $v_{cm,inv}$  by  $v_{com}$ , the motor-side CM voltage  $v_{cm,motor}$  will have a much smaller  $dv/dt$ . Fig. 2 shows four possible compensated waveforms. Fig. 2(a) shows a smooth start but a sharp end at the plateau; Fig. 2(b) shows a profile opposite to that in Fig. 2(a); Fig. 2(c) shows a profile

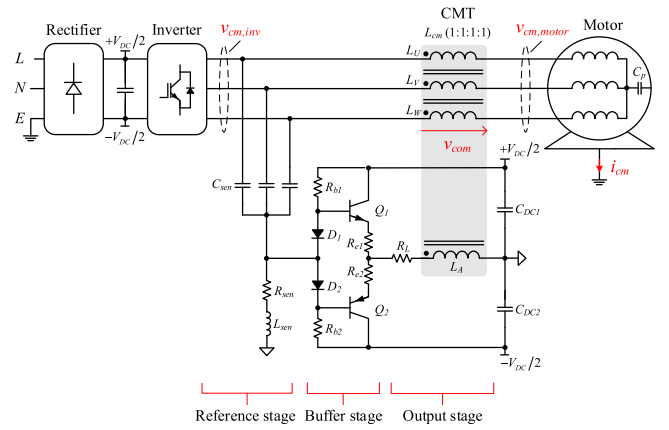


Fig. 1. Schematic diagram of the proposed output ACF.

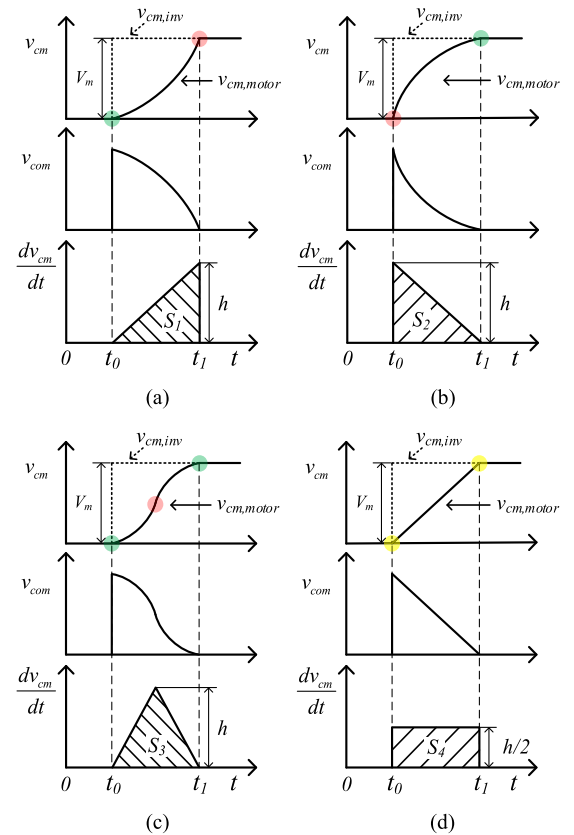


Fig. 2. Four possible waveforms of edge compensation.

having both smooth start and end but a steep rise in the middle; Fig. 2(d) shows a profile having a constant rising slope, which is between the steepest and smoothest ones in Fig. 2(a)–(c).

The integral of  $dv_{cm,motor}/dt$ , illustrated by the shaded regions, is the increment of  $v_{cm,motor}$ , as expressed in (1). In the four cases,  $v_{cm,motor}$  all rises from zero to  $V_m$  during an interval of  $(t_1 - t_0)$ . Hence, one can conclude  $S_1 = S_2 = S_3 = S_4$

$$S = \int_{t_0}^{t_1} \frac{dv_{cm,motor}}{dt} dt = V_m. \quad (1)$$

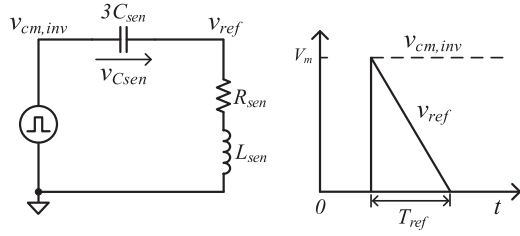


Fig. 3. Equivalent circuit of the voltage reference generator and its voltage waveforms.

Since the time intervals are the same, the peak values of  $dv_{cm,motor}/dt$  in Fig. 2(a)–(c) are identical while that in Fig. 2(d) is one-half of the previous ones. Without loss of generality, more rising patterns exist, and the integrals of  $dv_{cm,motor}/dt$  will remain the same. Based on knowledge of geometry, Fig. 2(d) has the lowest amplitude of  $dv_{cm,motor}/dt$ .

The CM current is the displacement current flowing through the parasitic capacitor  $C_p$  excited by  $v_{cm,motor}$ . The waveforms shown in Fig. 2(d) leads to the lowest peak CM current. Since the damage to bearings is determined by the peak motor CM current [21], [22], a sawtooth compensation voltage is optimal.

The sawtooth voltage is obtained with an  $RLC$  sensing circuit, as shown in Fig. 1. The values of  $RLC$  components are designed as follows.

- 1)  $C_{sen}$ : Since the sensing capacitors  $C_{sen}$  are connected at the output of the inverter,  $C_{sen}$  increases the total output capacitance of switching devices and leads to more switching loss. Hence, a small value of  $C_{sen}$  is preferred.  $C_{sen}$  is chosen to be 100 pF each. A further smaller value might not be sufficient to dominate the effect of the parasitic elements.
- 2)  $R_{sen}$ : The equivalent circuit of the voltage reference generator is shown in Fig. 3, and the voltage reference  $v_{ref}$  is expressed as

$$L_{sen}C_{sen}\frac{d^2v_{C_{sen}}(t)}{dt^2} + R_{sen}C_{sen}\frac{dv_{C_{sen}}(t)}{dt} + v_{C_{sen}}(t) = V_m \quad (2)$$

$$v_{ref}(t) = V_m - v_{C_{sen}}(t). \quad (3)$$

The circuit is a typical second-order system. The step response under different damping factors is illustrated in Fig. 4(a). The damping factor  $\zeta$  is expressed as

$$\zeta = \frac{R_{sen}}{2\sqrt{L_{sen}/C_{sen}}}. \quad (4)$$

The waveforms of  $v_{ref}$  with different  $\zeta$  are shown in Fig. 4(b).  $v_{ref}$  does not decline with an ideal constant slope as the desired waveform shown in Fig. 2(d); it has a long tail. Thus, the reference compensation time  $T_{ref}$  is defined as twice  $T_{50\%}$  in which  $v_{ref}$  drops to one-half of its peak value, i.e.,  $T_{ref} = 2T_{50\%}$ .  $T_{50\%}$  can be calculated by using the following equation:

$$v_{ref}(T_{50\%}) = \frac{1}{2}V_m. \quad (5)$$

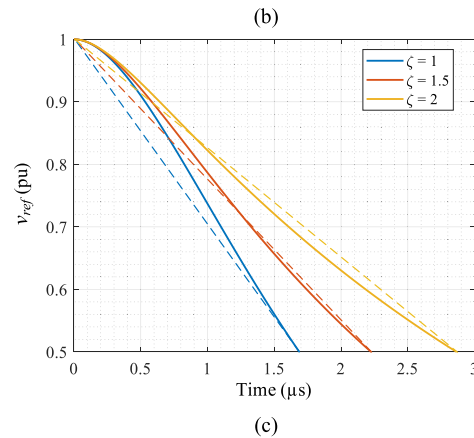
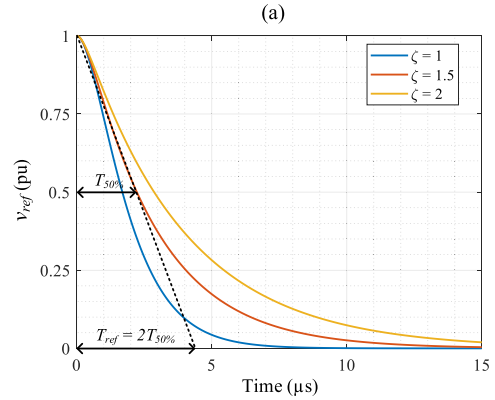
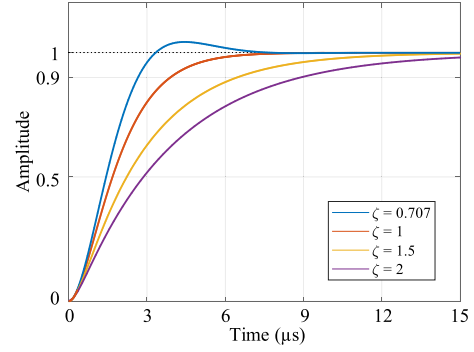


Fig. 4. Waveforms of a second-order system with different  $\zeta$ . (a) Step responses. (b) Voltage reference  $v_{ref}$ . (c) Zoomed waveforms of  $v_{ref}$ .

However, (5) is a transcendental equation without a closed-form solution. In order to facilitate the design, the second-order  $RLC$  circuit is reduced to a first-order  $RC$  circuit, which has the same waveforms, as shown in Fig. 2(b). Then, (2) is reduced into the form of (6), and  $T_{ref}$  is expressed as (7)

$$R_{sen}C_{sen}\frac{dv_{C_{sen}}(t)}{dt} + v_{C_{sen}}(t) = V_m \quad (6)$$

$$T_{ref} = 2 \ln 2 R_{sen}C_{sen}. \quad (7)$$

When  $T_{ref}$  is specified to fulfill the specifications of a system,  $R_{sen}$  can be derived as

$$R_{sen} = \frac{T_{ref}}{2 \ln 2 C_{sen}}. \quad (8)$$

It should be noted that (6) is an approximation of (2), and a more accurate solution can be easily obtained by using simulation software. Derived from (6), (8) offers a starting point to fine-tune parameters on a simulator.

3)  $L_{sen}$ :  $L_{sen}$  is introduced to regulate the response of an RC circuit to approach the ideal sawtooth waveform. The sawtooth profile holds only for the initial  $T_{50\%}$  because a tail voltage will inevitably appear afterward. Although the tail voltage makes the voltage transition smoother in implementation, the worst case is considered in this design phase.

As shown in Fig. 4(c), when damping factor  $\zeta$  is around 1.5, the initial half of  $v_{ref}$  has the most ideally constant slope. Hence, let  $\zeta = 1.5$  and then  $L_{sen}$  can be derived.

### B. Design of the Buffer Stage

The buffer stage should have a high input impedance and a low output impedance. As shown in Fig. 1, a BJT-based class AB amplifier is used as the buffer stage. 300 V, 150 MHz, NPN KSC3503, and PNP KSA1381 are chosen for their high-voltage and high-bandwidth properties. Bias resistors ( $R_{b1}$  and  $R_{b2}$ ) and diodes ( $D_1$  and  $D_2$ ) are used in the biasing circuit. Emitter resistors ( $R_{e1}$  and  $R_{e2}$ ) are used to avoid thermal runaway.

In prior art, the output stage has a coupled inductor only. A high-value inductance is, thus, required to reduce the loading effect. If the inductance is not sufficiently high, Darlington pairs, which have a high current gain that results in a low output impedance, will be used. However, the bandwidth is compromised with Darlington pairs [23].

In the proposed design, the output stage consists of a resistor  $R_L$  and a coupled inductor  $L_{cm}$ , which is the primary winding of the CM transformer. The resistive component of the output impedance of a conventional class AB amplifier is much smaller than  $R_L$ , and the inductive component is negligible compared to  $L_{cm}$ . Consequently, Darlington pairs are not necessary for the proposed buffer stage. Hence, the proposed design has a simpler structure, wider bandwidth, and lower cost.

### C. Design of the Output Stage

In the class AB amplifier, the NPN and PNP transistors conduct alternately, and the supply voltage is one-half of the dc link voltage  $V_{dc}$ . Hence, the power dissipation of the output ACF  $P_{loss}$  is expressed as

$$P_{loss} = \frac{1}{T_{sw}} \int_0^{T_{sw}} \frac{1}{2} V_{dc} i_L(t) = \frac{1}{2} V_{dc} |i_L|_{ave} \quad (9)$$

where  $T_{sw}$  is the switching period of the inverter. Since the direction of inductor current  $i_L$  changes during the operation of the push-pull amplifier,  $|i_L|_{ave}$  is the average of the absolute value of  $i_L$ .

Given  $V_{dc}$  is predefined, a lower  $P_{loss}$  can be obtained if  $i_L$  is reduced. Since only  $L_{cm}$  is used in prior art,  $i_L$  can only be reduced by using a high inductance, resulting in a bulky CM transformer.

In the proposed output ACF, a resistor  $R_L$  is introduced into the output stage to reset  $i_L$  and, thus, reduce  $P_{loss}$ . The equivalent

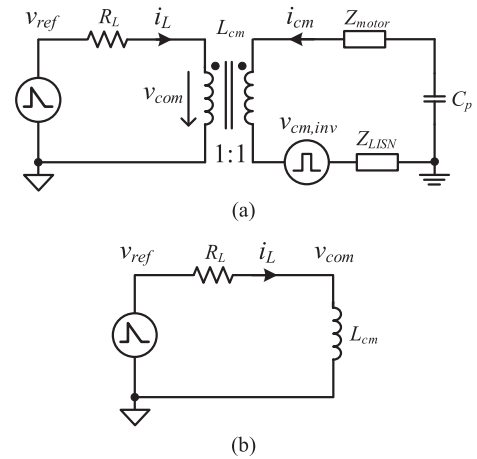


Fig. 5. Equivalent circuit of the output stage. (a) Full model. (b) Simplified model.

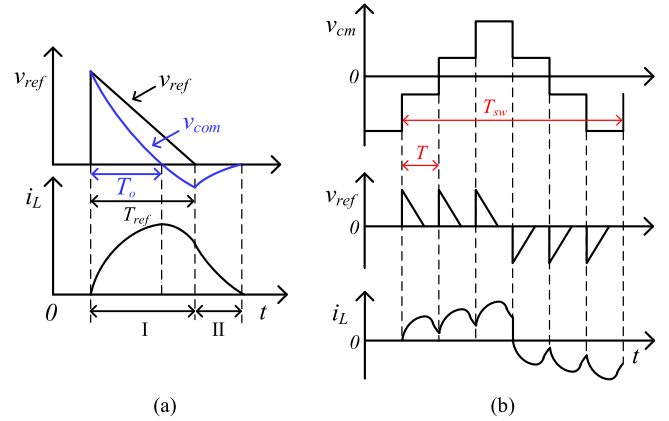


Fig. 6. Waveforms of the output stage. (a) Waveforms excited by a single pulse. (b) Waveforms during a switching cycle.

circuit of the proposed output stage is shown in Fig. 5(a). The voltage across the coupled inductor  $v_{com}$  is determined by primary-side and secondary-side excitations, as expressed as

$$v_{com} = L_{cm} \frac{di_L}{dt} + M \frac{di_{cm}}{dt} \quad (10)$$

where  $M$  is the mutual inductance.

$v_{com}$  is dominated by the primary side based on two reasons. First, the high inductance of motor windings in the secondary loop mitigates the CM current. Second, the inductance  $L_{cm}$  in the proposed design is not very large to avoid bulkiness, which makes the primary-side current dominate the secondary-side current. Thus, Fig. 5(a) can be simplified as Fig. 5(b) to facilitate the circuit design.

Based on Fig. 5(b),  $i_L$  is described in (11). The excitation source  $v_{ref}$  is a piecewise function. In the first interval ( $0 < t < T_{ref}$ , where  $T_{ref}$  is the reference compensation time),  $v_{ref}$  decreases to zero with a constant slope. In the second interval ( $t > T_{ref}$ ),  $v_{ref} = 0$ . Waveforms of  $v_{ref}$ ,  $v_{com}$ , and  $i_L$  are shown in Fig. 6(a)

$$L_{cm} \frac{di_L(t)}{dt} + R_L i_L(t) = v_{ref}(t)$$

$$\begin{cases} v_{ref,I}(t) = V_m - \frac{V_m}{T_{ref}}t \\ v_{ref,II}(t) = 0 \end{cases} \quad (11)$$

$$\begin{cases} i_{L,I}(0) = 0 \\ i_{L,II}(0) = i_{L,I}(T_{ref}). \end{cases} \quad (12)$$

When a large  $R_L$  is used,  $i_L$  will decrease to zero before the next pulse appears, as shown in Fig. 6(a). In such a case,  $|i_L|_{ave}$  in (9) can be calculated from a single pulse. On the contrary, if  $R_L$  is not sufficiently large to reset  $i_L$ , the profiles of  $i_L$  in each pulse are not the same. Hence, (12) is revised as (13) to calculate  $i_L$  in an iterative way

$$\begin{cases} i_{L,n,I}(0) = i_{L,n-1,II}(T - T_{ref}) \\ i_{L,n,II}(0) = i_{L,n,I}(T_{ref}) \end{cases} \quad (13)$$

where  $T$  is the interval between two pulses and  $T = T_{sw}/6$  in this illustration.

It should be noted that different modulation schemes have different switching patterns, and  $T$  will also fluctuate in different switching cycles when a specific modulation is in use. For the sake of simplicity,  $T = T_{sw}/6$  is taken as an average of different switching patterns in this illustration. When  $i_L$  is obtained from (11) and (13), the power consumption of the ACF can be derived according to (9).

Same as  $T_{50\%}$  used in the reference stage design to exclude the tail voltage effect, the slope of  $v_{com}$  is also calculated from its first half waveform

$$v_{com}(T_{o,50\%}) = L_{cm} \frac{di_L(T_{o,50\%})}{dt} = \frac{1}{2}V_m. \quad (14)$$

Based on (11) and (14), the actual compensation time  $T_o$  can be calculated as (15). It is a measure of the slope of CM voltage after compensation

$$T_o = \frac{2L_{cm}}{R_L} \ln \left[ \frac{2(L_{cm} + R_L T_{ref})}{R_L T_{ref} + 2L_{cm}} \right]. \quad (15)$$

Based on the abovementioned analysis,  $P_{loss}$  and  $T_o$  are functions of  $T_{ref}$ ,  $R_L$ , and  $L_{cm}$  when  $V_{dc}$  and  $T_{sw}$  are predefined, which can be expressed as

$$\begin{cases} P_{loss} = f(T_{ref}, R_L, L_{cm}) \\ T_o = g(T_{ref}, R_L, L_{cm}). \end{cases} \quad (16)$$

It is challenging to obtain the solution of this multidimensional optimization problem. Hence, the dimensionality reduction method is used to facilitate the design. The first step is to investigate the impact of  $R_L$  and  $L_{cm}$  on  $P_{loss}$  and  $T_o$  with a fixed  $T_{ref}$ ; a local optimum will be found. In the second step, the global optimum is identified by comparing the local optimums calculated from different values of  $T_{ref}$ .

Fig. 7 shows the three-dimensional (3-D) curves of  $P_{loss}$  and  $T_o$  as a function of  $R_L$  and  $L_{cm}$ , respectively, at a fixed  $T_{ref}$ . A larger  $L_{cm}$  corresponds to a higher  $T_o$  and, thus, smaller  $dv/dt$ , but the resulting bulky inductor is a concern. A higher  $R_L$  can reduce  $P_{loss}$ , but  $T_o$  will drop; the compensation performance is, thus, compromised. Hence, finding appropriate  $R_L$  and  $L_{cm}$  is of great importance.

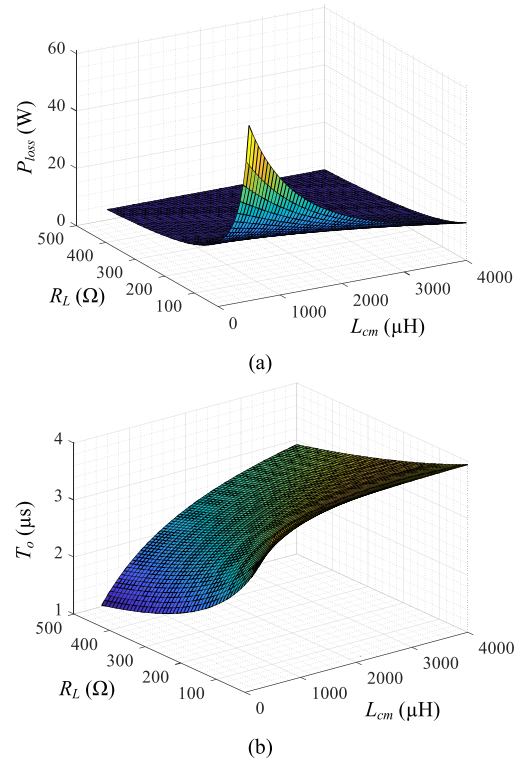


Fig. 7. Three-dimensional curves ( $V_{dc} = 300$  V,  $f_{sw} = 10$  kHz,  $T_{ref} = 4$   $\mu\text{s}$ ). (a)  $P_{loss}$  as a function of  $L_{cm}$  and  $R_L$ . (b)  $T_o$  as a function of  $L_{cm}$  and  $R_L$ .

By drawing different contours, the 3-D curves shown in Fig. 7 are flattened into 2-D curves and combined into one graph, as shown in Fig. 8. The red line and the black line represent  $P_{loss}$  and  $T_o$ , respectively.

The ACF is used to reduce  $dv/dt$  and CM current  $i_{cm}$  to protect bearings. Bearings of different sizes and materials have different immunity to  $i_{cm}$ . The switching frequency  $f_{sw}$  also affects the amplitude of  $i_{cm}$ . Thus,  $T_o$  should be designed according to the requirement of a specific application. For the cases in the early design phase,  $i_{cm}$  can be calculated by using EMI prediction methods. For the cases that a prototype is available, one can measure  $i_{cm}$  and set a  $T_o$  to reduce  $i_{cm}$  below a safety level.

Based on (9) and (11),  $P_{loss}$  is determined by  $V_{dc}$ ,  $f_{sw}$ ,  $T_{ref}$ ,  $R_L$ , and  $L_{cm}$ ; it does not directly depend on the power rating of motor drive systems. Thus, the abovementioned design procedure for determining filter parameters is applicable for systems of different rated power.

The procedure of selecting the values of  $R_L$  and  $L_{cm}$  is given as follows.

*Step 1:* Select  $P_{loss}$  and  $T_o$  for a specific application.

For example, let  $P_{loss}$  accounts for 1% of the total power of the motor drive system.  $T_o$  is selected to reduce the peak CM current below a safe level for bearing protection. Since there is currently no standard to regulate the CM current flowing through the motor, the maximum allowable CM current is determined by considering the motor specifications. As a case study,  $P_{loss} = 10$  W and  $T_o = 4$   $\mu\text{s}$ .

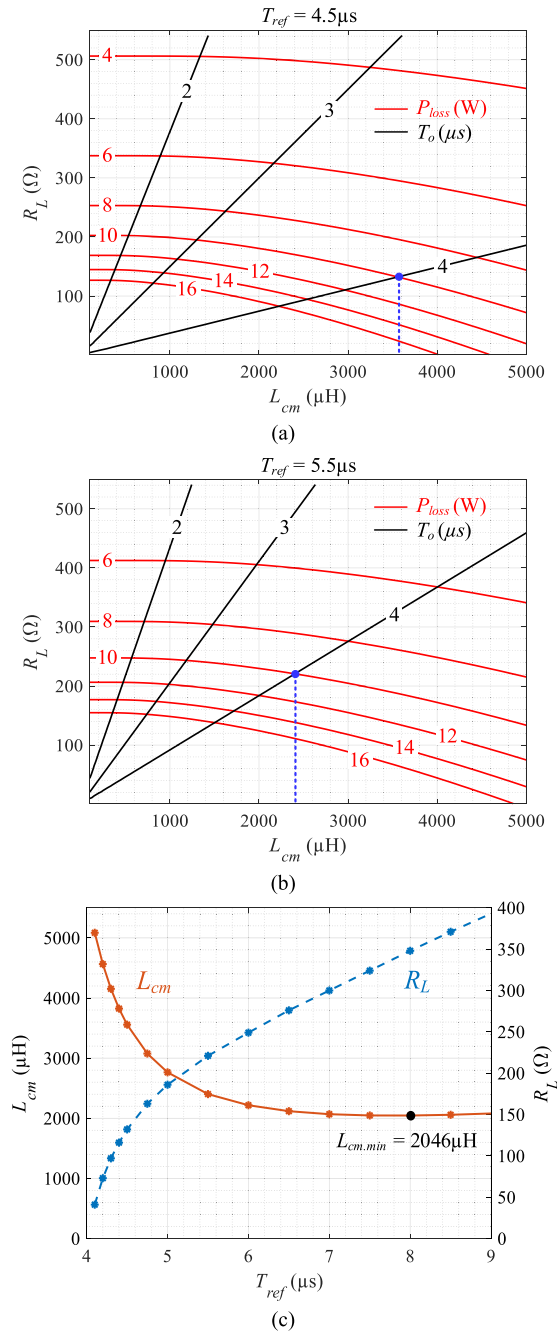


Fig. 8. Parameter design maps ( $V_{dc} = 300$  V,  $f_{sw} = 10$  kHz). (a)  $T_{ref} = 4.5 \mu s$ . (b)  $T_{ref} = 5.5 \mu s$ . (c)  $T_{ref}$  varies from 4.1–9  $\mu s$ .

**Step 2:** Sweep  $T_{ref}$  from a value slightly higher than  $T_o$ . Since  $R_L$  shares a portion of the compensation voltage, the reference compensation time  $T_{ref}$  should be higher than the actual compensation time  $T_o$ .

For example, when  $T_{ref} = 4.5 \mu s$ , the blue dot ( $L_{cm} = 3557 \mu H$ ,  $R_L = 132 \Omega$ ) fulfills the abovementioned requirements, as shown in Fig. 8(a). When  $T_{ref} = 5.5 \mu s$ , the blue dot moves to another point ( $L_{cm} = 2402 \mu H$ ,  $R_L = 221 \Omega$ ), as shown in Fig. 8(b). This illustrates that  $L_{cm}$  can be reduced by changing  $T_{ref}$  without increasing  $P_{loss}$ .

TABLE I  
COMPONENTS USED IN THE PROPOSED OUTPUT ACF

Components	Value/ Part No.	Components	Value/ Part No.
$C_{sen}$	100pF $\times$ 3	$Q_1$	KSC3503
$R_{sen}$	10 k $\Omega$	$Q_2$	KSA1381
$L_{sen}$	1.42 mH	$R_L$	470 $\Omega$
$R_{b1}, R_{b2}$	41 k $\Omega$	$L_{cm}$ (T37)	2.81 mH
$D_1, D_2$	1N4148	$L_{cm}$ (HF60)	2.29 mH
$C_{DC1}, C_{DC2}$	1 $\mu F$	T37 core	B64290L0674X037
$R_{e1}, R_{e2}$	10 $\Omega$	HF60 core	HF60T38X14X22

**Step 3:** Select optimal values of  $L_{cm}$  and  $R_L$  based on the results in Step 2.

As shown in Fig. 8(c), the required  $L_{cm}$  reduces as the increase of  $T_{ref}$  and finally falls to a steady level. When  $T_{ref} = 8 \mu s$ ,  $L_{cm}$  finds its smallest value at 2046  $\mu H$ . Hence, the optimal values are  $L_{cm} = 2046 \mu H$  and  $R_L = 348 \Omega$ . In the implementation, values higher than 6  $\mu s$  are all acceptable since the variation of  $L_{cm}$  with  $T_{ref}$  becomes insignificant.

As shown in Fig. 8(a) and (b), the red contours closer to the origin of the coordinate axes get denser, implying that the attempt to continuously reduce  $R_L$  with a given  $L_{cm}$  to pursue better compensation performance will cause high power dissipation. Thus, the proposed output stage consists of  $R_L$  and  $L_{cm}$ , instead of an inductor  $L_{cm}$  only, as in prior art.

### III. EXPERIMENTAL VERIFICATION AND DISCUSSION

In order to investigate the effect of different ferrite materials, two CMTs have been fabricated with materials of T37 and HF60. Material T37 has features of low loss factor and high initial permeability ( $\mu_i = 6500$ ) [24]. Material HF60 has low initial permeability ( $\mu_i = 1600$ ) but better high-frequency performance [25]. As shown in Fig. 9(a), the CMTs have one primary winding ( $L_A$ ) and three secondary windings ( $L_U$ ,  $L_V$ , and  $L_W$ ).  $L_A$  is evenly distributed into three groups so that the coupling factors with three secondary windings are identical.

The photos of the proposed output ACF, the input ACF proposed in [20], and the motor drive system, which is a fan coil unit, have been shown in Fig. 9(b), (c), and (d), respectively. The equipment and connections for EMI measurement are shown in Fig. 9(e). The dc link voltage of the motor drive is 306 V, and the switching frequency is 16 kHz. The values and part numbers of the components used in the output ACF are tabulated in Table I.

#### A. CM Voltage Compensation by the Output ACF

Fig. 10 shows experimental results of using the CMT fabricated with ferrite material T37. The reference voltage  $v_{ref}$  and compensation voltage  $v_{com}$  of the proposed output ACF are shown in Fig. 10(a). The CM voltages at the inverter-side  $v_{cm,inv}$ , and the motor-side  $v_{cm,motor}$  with the output ACF are shown in Fig. 10(b). In order to compare with the passive CM choke, the active circuit of the output ACF is removed;

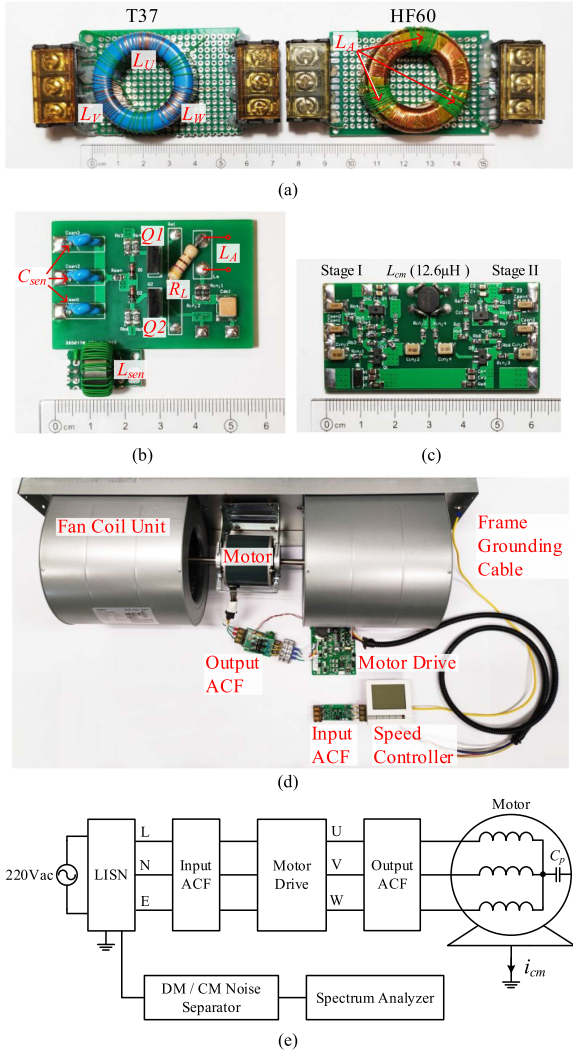


Fig. 9. Setup for CM performance evaluation. (a) CMTs fabricated with ferrite materials of T37 and HF60. (b) Proposed output ACF. (c) Input ACF proposed in [20]. (d) Motor drive system. (e) Equipment and connections for EMI measurement.

waveforms of CM voltage with the passive CM choke are shown in Fig. 10(c).

The CMT of material HF60 has also been tested, and its waveforms are shown in Fig. 11.

As shown in Figs. 10 and 11, the proposed output ACF has increased the rise time of CM voltage from around 100 ns to 3  $\mu$ s. Passive CM chokes can also slow down  $dv/dt$ , but their performance is less significant, and resonance in  $v_{cm,motor}$  is observed.

### B. CM EMI Spectrum

The CM noise spectra of the motor drive system with the two CMTs (T37 and HF60) under different filtering conditions have been measured, as shown in Fig. 12. The blue lines represent the CM noise spectra without a filter; the red lines show results with a passive CM choke; the yellow lines show results with the proposed output ACF; the purple lines show results with both output and input ACFs. In order to illustrate the insertion loss

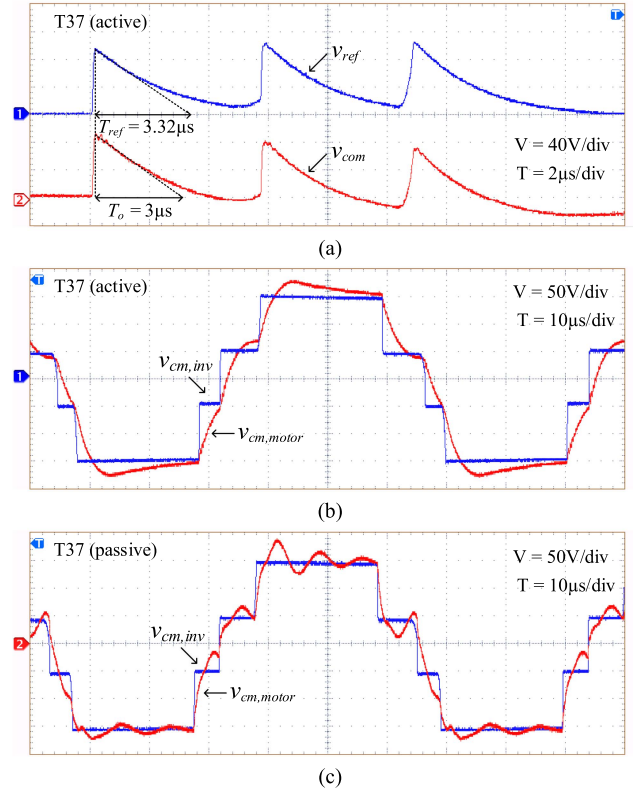


Fig. 10. Waveforms with the CMT fabricated with material T37. (a)  $v_{ref}$  and  $v_{com}$  of the output ACF. (b)  $v_{cm,inv}$  and  $v_{cm,motor}$  with the output ACF. (c)  $v_{cm,inv}$  and  $v_{cm,motor}$  with the passive CM choke by removing the active circuit.

of the output ACF, the envelopes of the blue and yellow lines are drawn by black lines. The difference between the solid black line and the dashed black line represents the insertion loss of the output ACF. The motor drive system satisfies the EMC standard *IEC 61800-3* [26] with the input and the output ACFs.

It can be seen that the input ACF is most effective in attenuating CM noise. The output ACF has a maximum of 14 dB attenuation higher than the passive CM choke. By using the output ACF, the noise is reduced to within the capacity of the input ACF. Otherwise, the input ACF will saturate when only a CM choke is used at the output side. This issue will be analyzed in Section III-F.

The rise time of CM voltage is increased to 3  $\mu$ s with the output ACF. A longer rise time can be achieved by increasing  $T_{ref}$  and/or decreasing  $R_L$ , as analyzed in Section II-C. Then, the output ACF will have better filtering performance, but higher power dissipation will be expected.

### C. CM Current Flowing Through the Motor

The waveforms of the CM current flowing through the motor without a filter, with a passive CM choke, and with the output ACF have been shown in Fig. 13. Although the input ACF has good CM filtering performance, it can only attenuate the CM noise injected into the grid, but not the CM current leaked from the motor. Since the damage to bearings is determined by the

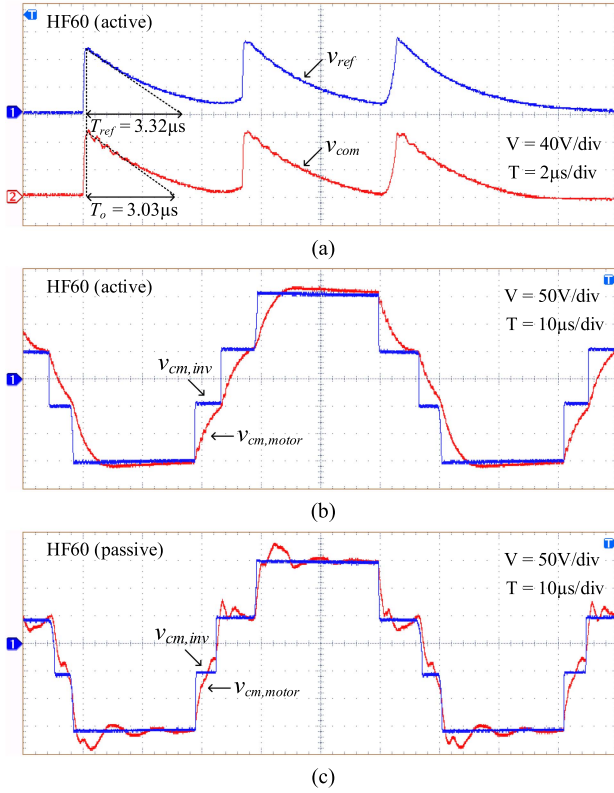


Fig. 11. Waveforms with the CMT fabricated with material HF60. (a)  $v_{ref}$  and  $v_{com}$  of the output ACF. (b)  $v_{cm,inv}$  and  $v_{cm,motor}$  with the output ACF. (c)  $v_{cm,inv}$  and  $v_{cm,motor}$  with the passive CM choke by removing the active circuit.

peak motor CM current, the peak-to-peak CM current  $I_{cm,p-p}$  have been measured as follows.

The original  $I_{cm,p-p}$  without a filter is 310 mA.  $I_{cm,p-p}$  with a passive CM choke (T37) is 100 mA, which is reduced by 67.7% [(310 mA–100 mA)/310 mA] from its original value. By using the output ACF,  $I_{cm,p-p}$  is further reduced by 30% [(100 mA–70 mA)/100 mA].

The ferrite material HF60 has a slightly better performance than T37.  $I_{cm,p-p}$  with a passive CM choke (HF60) is 90 mA; it is reduced by 70.97% compared to its original value. By using the output ACF,  $I_{cm,p-p}$  is reduced to 65 mA, which is a further reduction of 27.78%. A lower  $I_{cm,p-p}$  can be achieved by increasing  $T_{ref}$  and/or decreasing  $R_L$  at the cost of increased power dissipation.

#### D. Investigation Into the Differences Between T37 and HF60

As introduced in the previous sections, the CMT fabricated with ferrite material HF60 has slightly better performance than that with T37. The most important difference is that the output ACF will have a much smaller power dissipation  $P_{loss}$  by using HF60 than T37, as shown in Fig. 14.

$P_{loss}$  of the biasing circuit is 0.985 W; it is caused by a high dc link voltage  $V_{dc}$  and a small biasing current. According to (9),  $P_{loss}$  of the output ACF is determined by  $|i_L|_{ave} \cdot |i_L|_{ave}$  with the T37 CMT is 33.5 mA, and it is 12.9 mA with the HF60 CMT. There is a 2.6 times higher inductor current with T37 than with

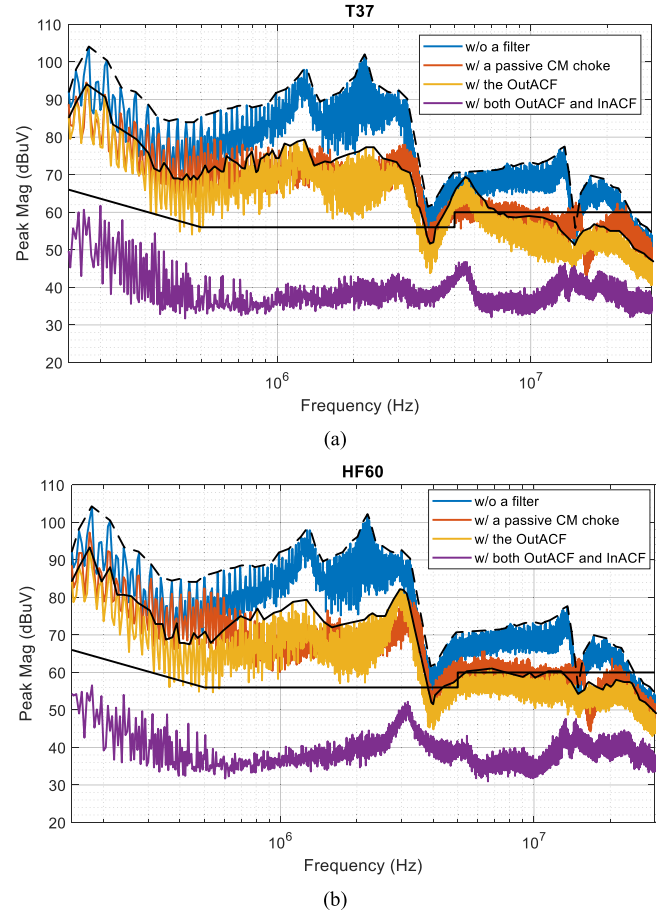


Fig. 12. Peak CM noise spectra of the motor drive system under different filtering conditions. (a) With ferrite material T37. (b) With ferrite material HF60.

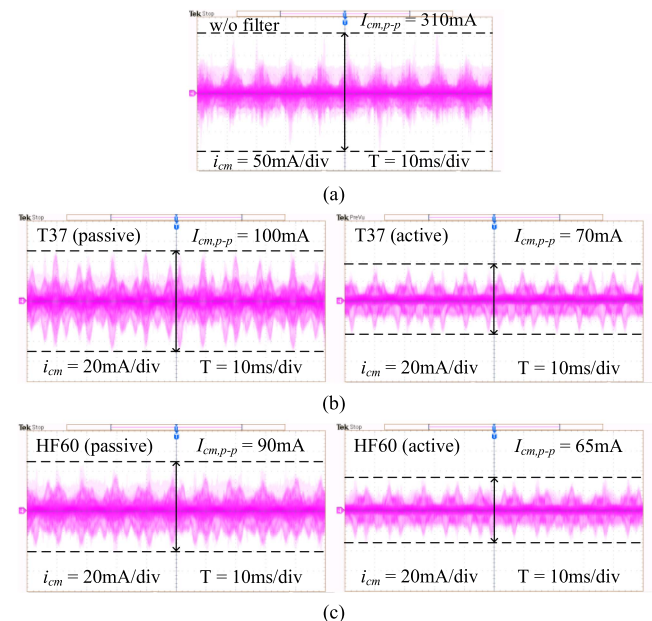


Fig. 13. Waveforms of CM current flowing through the motor. (a) Without a filter. (b) With ferrite material T37. (c) With ferrite material HF60.

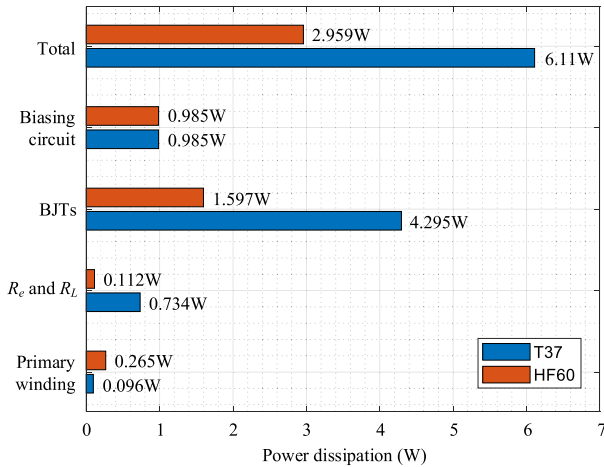


Fig. 14. Power dissipation of the output ACF with ferrite materials T37 and HF60.

HF60. Hence, the output ACF with T37 CMT has higher power dissipation. BJTs consume the largest proportion of  $P_{\text{loss}}$  since their voltage is equal to  $V_{\text{dc}}/2$  deducted by a sawtooth edge-compensation waveform, which has a significant rms value.

Contrary to the total power losses with the two types of cores, the  $P_{\text{loss}}$  of the primary winding with HF60 is 2.76 times higher than that with T37 ( $265 \text{ mW}/96 \text{ mW} = 2.76$ ). The abovementioned experimental results will be investigated as follows.

Since both CMTs (T37 and HF60) are tested with the same circuit, the different inductor currents are caused by the difference in impedance of the CMTs. The equivalent circuits for CM inductors have been analyzed in [27] and [28], as shown in Fig. 15(a). The equivalent circuit of CM inductors is represented by a frequency-dependent inductance  $L(f)$ , equivalent core loss resistance  $R_{\text{core}}(f)$ , winding loss resistance  $R_w(f)$ , and winding parasitic capacitance  $C_w$ . The small-signal impedance curves of the CMTs are measured by impedance analyzer 4294A, as shown in Fig. 15(b). 4294A can also measure the inductance and ac resistance connected in series, as shown in Fig. 15(c).

Impedance analyzer 4294A displays the inductance and ac resistance of measured impedance by separating the real and imaginary parts. However, the measured ac resistance is not the intrinsic core resistance of the CMT. In order to investigate this issue, an external 100 pF capacitor is paralleled to the T37 CMT. The  $L$ - $R$  curve with the external capacitor is compared to the original one, as shown in Fig. 16. It is reasonable to observe the self-resonant frequency of impedance shifts to a lower frequency due to increased winding capacitance, but the ac resistance also changes with the additional capacitor. This validates that the ac resistance measured by the impedance analyzer cannot be used to model the  $R_{\text{core}}(f)$  and  $R_w(f)$  in Fig. 15(a).

Since the CMTs fabricated with T37 and HF60 use the same wire gauge and work under the same circuit, the winding loss has a negligible effect on the difference of power dissipation. Instead, the core loss leads to the noticeable difference in power dissipation. In order to investigate the large-signal response of the materials, the magnetic hysteresis loops of T37 and HF60

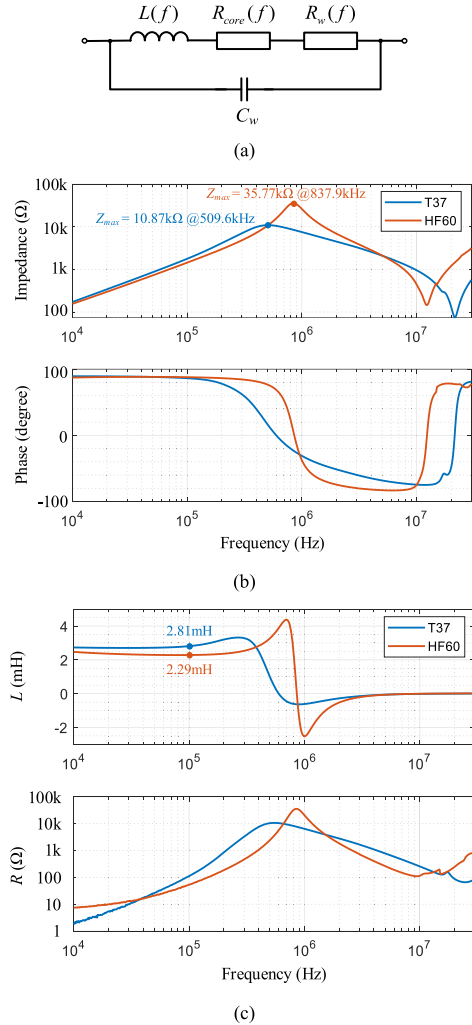


Fig. 15. Impedance characteristics of CM inductors. (a) Equivalent circuit for CM inductors. (b) Impedance curves. (c) Curves of inductance and ac resistance.

have been measured using the methods introduced in [29], as shown in Fig. 17.

According to Fig. 17, the operation of both CMTs has not entered the saturation region upon working with the output ACF. HF60 has a much wider hysteresis loop than T37, implying that HF60 has higher core loss and higher corresponding  $R_{\text{core}}(f)$ . This explains the HF60 CMT has a smaller inductor current. The high-loss feature of HF60, in turn, leads to a lower overall power dissipation of the output ACF. This is different from conventional power inductors in that the low-loss characteristic is preferable.

### E. Investigation Into Winding Configuration

Extensive works have been devoted to optimizing the winding design of single-phase inductors and CM chokes. However, the winding configuration of the CMT used in the output ACF that has three conventional secondary windings and a primary winding has not been investigated.

The CMTs tested in the previous sections use symmetrical primary winding configuration. In this section, a new T37 CMT in asymmetrical primary winding configuration has been made,

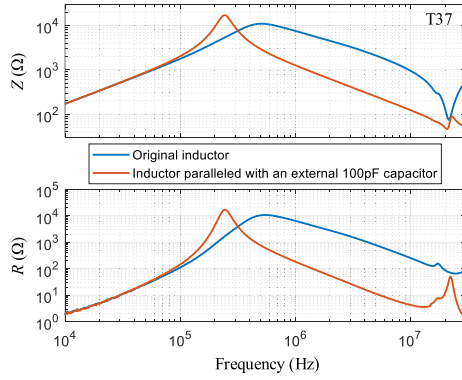


Fig. 16. Impedance characteristics of the CM inductor with and without an external 100 pF capacitor.

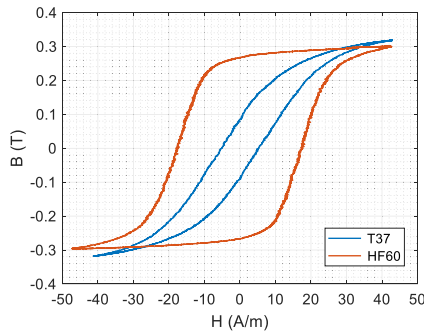


Fig. 17. B-H curves of T37 and HF60 (10 kHz).

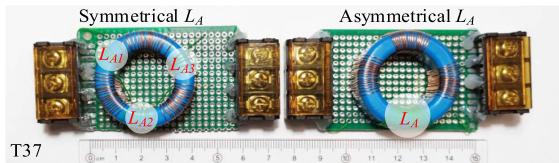


Fig. 18. CMTs of different primary winding configurations.

as shown in Fig. 18, and tested with the same output ACF. Compensation voltage  $v_{com}$ , CM current flowing through the motor  $i_{cm}$ , and CM noise spectra of the motor drive system with output ACFs in different winding configurations are shown in Fig. 19.

In the asymmetrical CMT, the primary-to-secondary coupling coefficient of one phase is different from the other two. The resulting unbalanced leakage inductance will resonate with motor winding capacitances. Hence, resonance appears in one of the three sawtooth  $v_{com}$ , caused by the asymmetrical phase with the variation of the duty cycle. The resulting  $i_{cm}$  has a higher peak value (115 mA) than that in symmetrical configuration (70 mA). The CM noise spectra are nearly the same in the low frequency, but a resonant peak around 6 MHz is observed with the asymmetrical CMT.

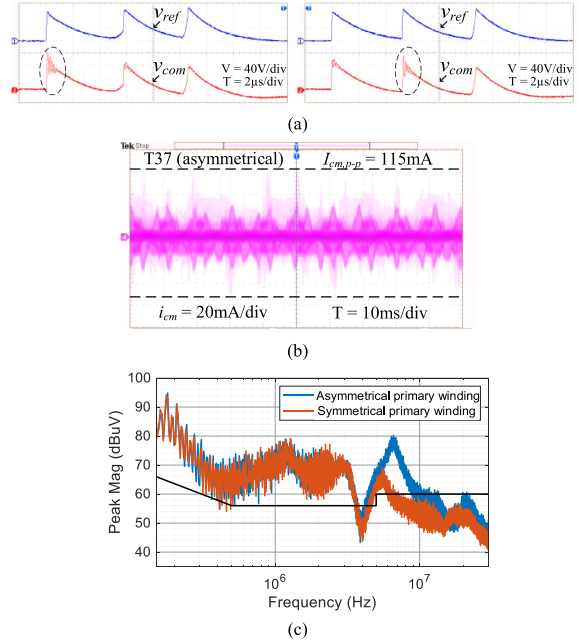


Fig. 19. Waveforms of the CMT with asymmetrical primary winding configuration. (a)  $v_{ref}$  and  $v_{com}$  of the output ACF in different switching cycles. (b) CM current flowing through the motor. (c) CM noise spectra of the motor drive system with the output ACF in different winding configurations.

TABLE II  
COMPARISON OF THE INPUT ACF AND THE OUTPUT ACF

	Input ACF	Output ACF
Objective	★★ Reduce CM noise into the grid	★★ Reduce $I_{cm,peak}$ to protect bearing ★ Reduce CM noise to aid the input ACF
Noise level	Small-signal filter	Large-signal filter
Limiting factor	Saturation due to large $v_o$ swing	Higher power dissipation for a lower $dv/dt$
Power dissipation	Relatively low - Determined by • Output voltage $v_o$ swing • Peak CM current $I_{cm,peak}$	Relatively high - Determined by • DC link voltage $V_{dc}$ • Compensation time $T_o$

#### F. Discussion on the Relationship Between Input and Output ACFs

A comparison of input and output ACFs has been shown in Table II. The input ACF is used to attenuate the CM noise injected into the grid. Since the input ACF cannot attenuate the CM current flowing through the motor, it makes the output ACF is primarily to reduce the motor CM current to protect bearings. The reduction of motor CM current also contributes to a lower CM noise spectrum, which gives aid to the input ACF. Nevertheless, the input ACF is indispensable since it still needs to attenuate the CM noise of the motor drive.

The input ACF is connected at the grid interface where the high-amplitude line-frequency voltage contains small noise. The line-frequency component can be easily excluded by the CM sensing circuit, which makes the input ACF act as a small-signal filter. On the contrary, the output ACF is connected at the output of the inverter, where the CM voltage has high amplitude and steep rising/falling edges. Thus, the output ACF is a large-signal filter.

The output characteristics of the input ACF have been analyzed in [20]; its output voltage  $v_o$  is equal to the product

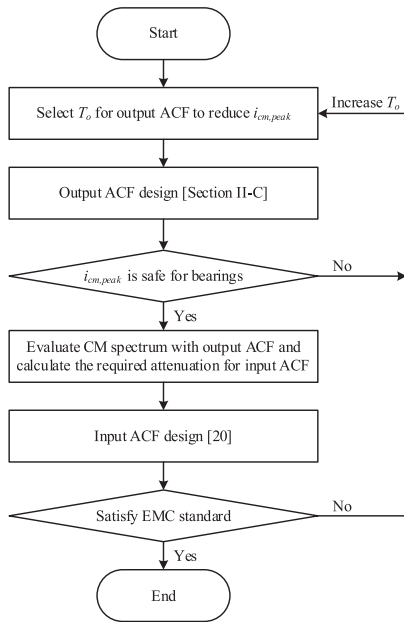


Fig. 20. Flowchart of designing the proposed active CM filtering architecture.

of the sensed CM voltage and a high gain. The amplifier will saturate when  $v_o$  swing is higher than the supply voltage. There are several ways to alleviate this issue: a) increase the supply voltage; b) increase the Y-capacitance; c) decrease the voltage gain. This issue can be solved by reducing the CM current with the output ACF. By contrast, the input ACF saturates when only a CM choke is used at the output side.

The limiting factor of the output ACF is power dissipation. Higher power will be consumed to achieve a lower  $dv/dt$ . Moreover, the increment of power dissipation with the reduction of  $dv/dt$  is nonlinear; a much higher increment of power consumption is required to further reduce  $dv/dt$ .

Differences in noise levels leads to differences in power dissipation. The power dissipation of the input ACF is 1.5 W, which is much lower than that of the output ACF. Since class A amplifier is used in the input ACF, the quiescent current should be higher than the peak CM current. The output ACF reduces the CM current, and thus,  $v_o$  swing and quiescent current of the input ACF can be reduced, leading to lower power consumption. The power dissipation of the output ACF is mainly determined by dc link voltage  $V_{dc}$  and compensation time  $T_o$ . Hence, the output ACF will have lower power dissipation in low-voltage motor drive systems; a longer  $T_o$  corresponds to a lower  $dv/dt$  and CM current at the cost of higher power consumption.

The flowchart of designing the proposed active CM filtering architecture is shown in Fig. 20. The first step is to design the output ACF with a selected compensation time  $T_o$  to reduce the CM current, as analyzed in Section II-C.  $T_o$  will be increased until the peak CM current is reduced to a safe level. The safe level depends on manufacturers and varies from bearing to bearing.

The next step is to evaluate the CM spectrum of the motor drive system with the output ACF, then calculate the required further attenuation for the input ACF to satisfy EMC standards. The design procedures of the input ACF can be found in [20]. If

the required attenuation exceeds the capacity of the input ACF,  $T_o$  of the output ACF will be increased to aid the input ACF.

The design philosophy is to use the respective advantages of the input and output ACFs to protect bearings and satisfy EMC standards with low power dissipation and small volume.

#### IV. CONCLUSION

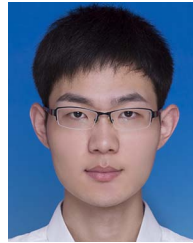
A new output edge-compensation ACF that compensates for rising/falling edges of CM voltage has been proposed to protect bearings and reduce CM noise. This article is not intended to completely suppress CM noise by the output ACF only regardless of power dissipation; instead, it proposes a holistic CM filtering architecture that utilizes the respective advantages of input and output ACFs to reduce the power dissipation and physical volume. Characteristics and design considerations of the ACFs for motor drives are summarized as follows.

- 1) The input ACF is a small-signal filter, while the output ACF is a large-signal one. The input ACF can achieve high attenuation with lower power consumption and smaller volume. The output ACF can reduce  $dv/dt$  at motor terminals and protect bearings while the input ACF cannot.
- 2) The power dissipation of the output ACF mainly depends on  $V_{dc}$  and  $T_o$ .  $V_{dc}$  determines the magnitude of CM voltage, and  $T_o$  regulates the compensation effect. The increment of power dissipation is much higher than that of  $T_o$ . High power loss will result in requiring bulky heatsinks and, thus decreasing overall power density. Hence,  $dv/dt$  is reduced but not eliminated with the proposed output ACF.
- 3) Ferrite materials significantly affect the power consumption of the output ACF. The high-loss ferrite material HF60 has a higher large-signal ac resistance, which reduces the current and power dissipation of the output ACF.
- 4) The primary winding of the CMT used in the output ACF should have a symmetrical configuration to achieve identical coupling with secondary windings.

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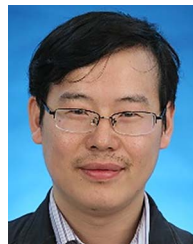


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