

# Single-Switch DC–DC Converter With Fault-Tolerant Capability Under Open- and Short-Circuit Switch Failures

Ehsan Jamshidpour, *Student Member, IEEE*, Philippe Poure, *Member, IEEE*, Eskandar Gholipour, and Shahrokh Saadate

**Abstract**—This paper proposes fault-tolerant (FT) operation of a single-switch dc–dc converter under a switch failure. In order to improve the reliability in critical applications, FT operation is mandatory to guarantee service continuity. The FT operation of a power system can be performed in three steps: fault diagnosis (detection and identification) and remedial actions. In the case of a switch failure, suitable fault detection is essential to avoid its propagation to the whole system. This study is based on a fast and efficient open- and short-circuit switch fault diagnosis. Both types of switch failure can be detected, identified, and handled in real time by implementing fault diagnosis and reconfiguration strategies on a field-programmable gate array target. No additional sensor is required to perform the fault detection. A redundant switch and a bidirectional switch are needed for converter reconfiguration in postfault operation. The results of hardware-in-the-loop and experimental tests, which all confirm the good performances of the proposed approach, are presented and discussed.

**Index Terms**—DC–DC converter, diagnosis, fault tolerance, hardware-in-the-loop (HIL), switch failure.

## I. INTRODUCTION

NOWADAYS, dc–dc converters are widely used in many industrial applications such as aerospace, ships, electric vehicles, and renewable energy power systems [1], [2]. Moreover, reliability in such embedded systems and in safety critical applications has been improved with the integration of fault diagnosis and fault-tolerant (FT) architectures. Fault tolerance in a power converter requires three steps: fault detection, fault identification (also known as “fault diagnosis”), and remedial actions [3]. The two first steps are used to identify the location and nature of the fault. The remedial actions are the process to first isolate the faulty device, if needed, and then, reconfigure the converter to guarantee the service continuity.

The two most critical elements in dc–dc converters are aluminum electrolytic capacitors and semiconductors. More than

50% of malfunctions and breakdowns are reported to be due to aluminum electrolytic capacitor failures [4] and 34% due to semiconductor failure and soldering joints failure in power devices [5] and [6].

This contribution focuses on fault tolerance in single-switch dc–dc converters under open-circuit fault (OCF) or short-circuit fault (SCF) on the semiconductor switch.

Several papers have proposed switch fault detection methods in power electronic converters and FT converter topologies. Switch fault diagnosis with FT schemes for isolated phase-shifted full-bridge dc–dc converters are presented in [7] and [8]. For an OCF in [7], the primary voltage of the transformer is used as the diagnosis criterion, which has been obtained by adding an auxiliary winding. In [8], the dc-link current and transformer primary voltage, combined with switch gate-driver signal, are treated as diagnosis criteria to detect the switch SCF. The reconfiguration strategies are also predicted for the postfault operation. In [9], an OCF detection method based on comparison of the duty cycle with the inductor current slope is proposed for hybrid electric vehicles. Besides, a multimode bidirectional dc–dc converter is used for fault compensation. In [10], a fast field-programmable gate array (FPGA)-based switch fault (OCF and SCF) detection method for single-ended nonisolated dc–dc converters is studied. In this paper, the inductor current slope is used as fault diagnosis criterion; no additional sensor is required and the failure can be detected in less than two switching periods. In [11], a FT H-bridge dc–dc converter based on redundancy is discussed. For postfault operation, a new control strategy, an extra leg, and a bidirectional selector switch are added to the original converter. A fault diagnosis method of PWM dc–dc converters by using the magnetic component voltage is presented in [12]. In this method, an auxiliary winding in the magnetic core is used to measure the inductor voltage. In [13], an alternative OCF diagnosis method for boost interleaved dc–dc converters operating in an unidirectional power flow is studied. This method is based on features of the dc-link current derivative sign during fault and healthy operations [13]. An OCF diagnosis and FT scheme for a three-level boost converter in a PV power system is presented in [14]. The control variables used for maximum power point tracking and output dc-link capacitor voltage balance are treated to fault diagnosis. By adding a few components to the original converter, it can be partly reconfigured into a two-level boost converter for postfault operation. A MOSFET faults diagnosis based on the integral and peak values of the dc-link current for a zero voltage-switching

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E. Jamshidpour and S. Saadate are with Groupe de Recherche en Electronique et en Electrotechnique de Nancy, Faculté des Sciences et Technologies, Université de Lorraine, 54506 Vandoeuvre-lès-Nancy, France (e-mail: ehsan.jamshidpour@univ-lorraine.fr; shahrokh.saadate@univ-lorraine.fr).

P. Poure is with Faculté des Sciences et Technologies, Institut Jean Lamour, Université de Lorraine, 54506 Vandoeuvre-les-Nancy, France (e-mail: philippe.poure@univ-lorraine.fr).

E. Gholipour is with the Faculty of Engineering, University of Isfahan, 81746-73441 Isfahan, Iran (e-mail: e.gholipour@eng.ui.ac.ir).

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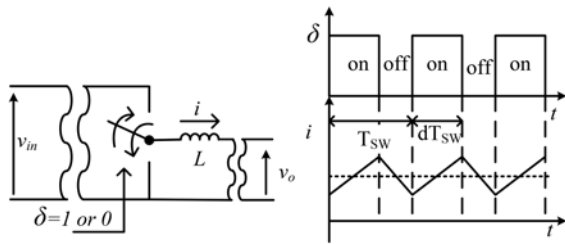


Fig. 1. Single-switch dc-dc converters principal scheme.

dc-dc converter is proposed in [15]. It should be noticed that the fault detection methods cited in references [7]–[15] can generally detect only one type of fault (OCF or SCF). Among them, the methods in [8] and [12] are as fast as the one proposed in this paper, while in [12], an analog circuit is used to fault detection.

This paper is started from our previous research, first introduced in a precedent introductory paper [10]. The initial fault detection algorithm (FDA) is improved in term of fault diagnosis (OCF or SCF); moreover, remedial actions, such as converter reconfiguration for postfault operation, are also treated in this contribution.

The new proposed FDA is capable to identify the type of the failure that is mandatory for fault isolation and converter reconfiguration in postfault operation. To guarantee the service continuity, a FT dc-dc converter topology based on redundancy is then considered. According to the type of the failure (OCF or SCF), two different strategies for system reconfiguration are proposed. This study is particularly dedicated to single-switch dc-dc converters. Fig. 1 summarizes this family that consists on buck, boost, buck-boost, Cuk, SEPIC, and dual SEPIC converters.

As shown in Fig. 1, in these converters, the inductor current ( $i$ ) behavior is the same. Because of this similarity, the proposed fault detection method is applied to the particular case of a boost converter. Nevertheless without losing generality, this method can be applied to any other topology. In the following sections, the proposed FDA and FT converter topology are presented; some hardware-in-the-loop (HIL) simulations and experimental results are provided. Both HIL and experimental results confirm the effectiveness of the proposed FDA and FT topology. It is shown that by using this fault detection method, both types of switch failure can be detected and discriminated. Then, two different reconfiguration strategies have been successfully performed. Thanks to FPGA implementation, these actions may be performed in less than one switching period. This minimal needed time is due to the natural delays in the system. One can notice that, in the worst case, two switching periods are needed (in the case of an OCF). In the case of a SCF, the system reconfiguration will be done after the fault clearance time.

## II. FAULT DIAGNOSIS

The fault diagnosis method proposed in this paper can detect both OCF and SCF and also announces the type of the fault, which is mandatory for converter reconfiguration. This new FDA is based on two algorithms that use the switch command

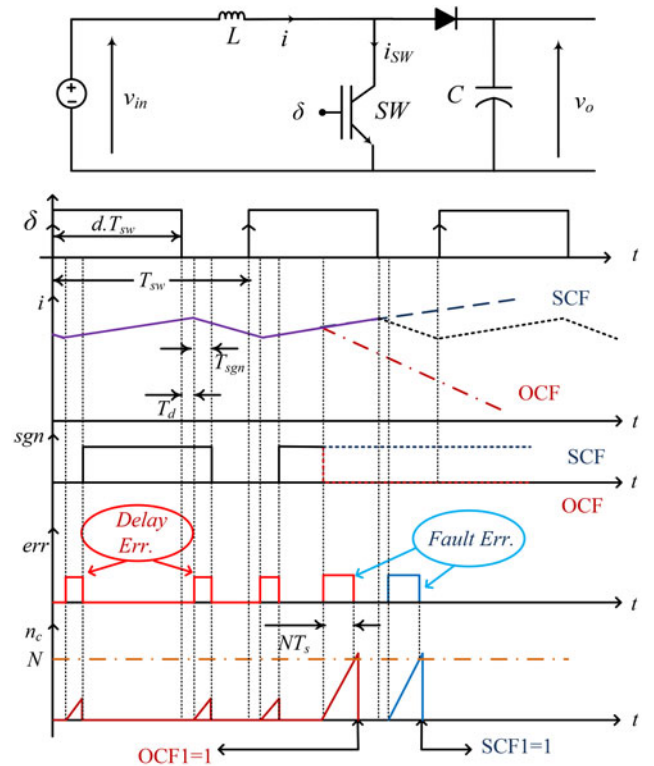


Fig. 2. Principle of FDA1 algorithm for a boost converter.

signal (switch gate-driver signals) and the sign of the inductor current slope to detect the switch failure. The primary algorithm FDA1 is faster than the secondary one FDA2 but is less robust for detecting in critical values of duty cycle  $d$  (small  $d$  in OCF or large  $d$  in SCF) or in high switching frequencies. The secondary algorithm is more robust: it efficiently detects faults in any conditions, but it is not as fast as FDA1. Both algorithms work on parallel to detect switch failure. It can be said that FDA2 is used when the fault could not be detected by FDA1 in less than two switching periods. The proposed algorithms are described in the following.

### A. Primary Algorithm (FDA1)

As shown in Fig. 2, when the switch SW is turned ON, the diode is reverse biased and is OFF. During  $d \cdot T_{sw}$ , the input voltage ( $v_i$ ) is applied across the inductor, where  $T_{sw}$  is the switching period and  $d$  is the duty cycle. Consequently, the inductor current  $i$  ramps up linearly (ignoring the effect of inductor resistor) increasing the energy stored in the inductor. During this cycle (so-called cycle1)  $\delta$  (the switch command) is equal to “1.”

When the switch SW is turned OFF (during  $(1 - d)T_{sw}$ ), the stored energy in the inductor flows to the load and forces the diode to conduct. As a result the inductor current  $i$  decreases. During this cycle (so-called cycle2)  $\delta$  is equal to “0.”

Fig. 3 presents the general scheme of the primary algorithm (FDA1). This algorithm needs the slope of the inductor current (“sgn” signal). In order to avoid a more complex algorithm, the exact value of the derivative of the inductor current is not used in

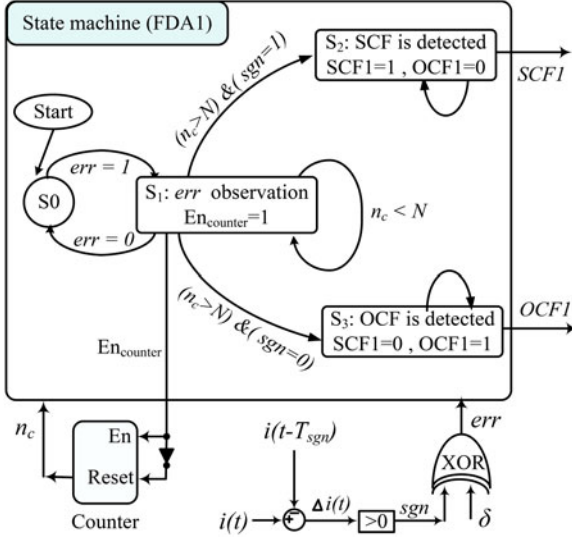


Fig. 3. Primary fault detection algorithm (FDA1).

this study. The “sgn” signal is obtained by comparing the value of  $i(t)$  with its value at  $T_{sgn}$  before, i.e.,  $i(t - T_{sgn})$ , as follows:

$$\begin{cases} \Delta i = i(t) - i(t - T_{sgn}) > 0 \Rightarrow \text{sgn} = 1 \\ \Delta i = i(t) - i(t - T_{sgn}) < 0 \Rightarrow \text{sgn} = 0. \end{cases} \quad (1)$$

$T_{sgn}$  should be chosen by considering some parameters of the setup, such as ADC precision versus conversion time and used sampling period, and then, validated by some experimental tests. In our case, it is fixed at  $4T_s$  ( $T_s$  is the sampling period).

In ideal conditions, when there is no switch failure, the two signals (“sgn” and “ $\delta$ ”) have the same value; thus, the signal “err” is equal to “0,” as described in (2). When a failure is occurred, the conditions (2) cannot be satisfied, thus “err” will be equal to “1”

$$\left. \begin{cases} \Delta i > 0 \Rightarrow \text{sgn} = 1 \\ \delta = 1 \\ \Delta i < 0 \Rightarrow \text{sgn} = 0 \\ \delta = 0 \end{cases} \right\} \Rightarrow \text{err} = \text{sgn} \oplus \delta. \quad (2)$$

It should be noted that, as a result of nonideal behavior of power switches, delays, and dead times are inevitable. Therefore, as shown in Fig. 2, even in a healthy operation of the converter, the error signal will be momentarily unequal to zero. That is why a time criterion is employed to take into account for these delays and dead times.

Let us now detail the state machine of FDA1 (see Fig. 3). This machine has four states starting from  $S_0$ . The machine stays in  $S_0$  as far as the signal “err” is “0.” When “err” passes to “1,” a transition to  $S_1$  occurs. In this state, the signal “Encounter” is activated and the counter starts to increase “ $n_c$ ” (counter’s output). In state  $S_1$  the signal “err” is observed and if it always remains in state “1” for a long enough time, more than observation periods equal to  $NT_s$ , i.e.,  $n_c > N$ , then it is concluded

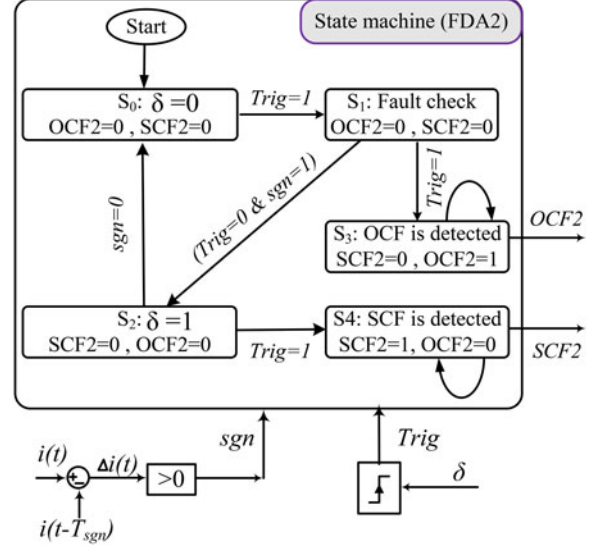


Fig. 4. Secondary fault detection algorithm (FDA2).

that there is a fault. According to the value of “err” and “sgn,” three transitions can occur.

- 1) If “err” resets to “0” after some sampling periods ( $n_c < N$ ), the state machine returns to  $S_0$  and the counter is reset.
- 2) In the case of a SCF,  $i$  increases regardless of the switch command ( $\Delta i(t) > 0$  and “sgn”= 1) and then “err” stays in “1” for a few sampling periods. When  $n_c$  becomes bigger than  $N$ , a transition to  $S_2$  occurs; SCF1 goes to “1” and SCF is declared.
- 3) Under OCF condition,  $i$  decreases disregarding of the switch command ( $\Delta i(t) < 0$  and “sgn”= 0). As a result “err” remains in “1” for a long enough time ( $n_c > N$ ). Then, a transition to  $S_3$  occurs; OCF1 goes to “1” and OCF is declared.

The mentioned observation time ( $NT_s$ ) should be longer than the overall delays caused by the sensors, drivers, controllers, and switches ( $NT_s > T_d$ ); otherwise, the inherent but normal delay of the system may be interpreted as a fault (see Fig. 2).

The FDA1 is very fast and detects a fault after its occurrence within  $N$  sampling periods. However, the fault detection time in FDA1 depends on several parameters such as duty cycle ( $d$ ) and switching frequency. For example, for an OCF, it may be seen that with small values of  $d$  ( $dT_{sw} \leq NT_s$ ) or in high switching frequency cases, fault detection with FDA1 may not be possible. In these cases, the time period during which the “err” signal is equal to “1” is always shorter than the observation time ( $NT_s$ ). Therefore, the counter  $n_c$  could not reach the predefined value of  $N$ , and then, the fault cannot be detected. For a SCF, with large value of  $d$  or small  $T_{sw}$ , the fault cannot be also detected by FDA1. For these reasons, a secondary algorithm (FDA 2) is proposed (see Fig. 4).

### B. Secondary Algorithm (FDA2)

As described before, there are two cycles (cycle1 and cycle2) per period for a conventional boost converter. In cycle1, the

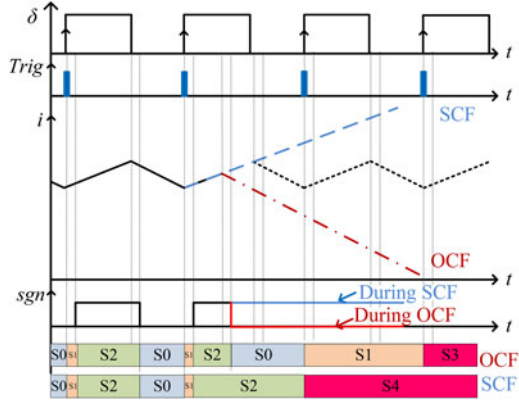


Fig. 5. FDA2 signals and states.

inductor current increases, while in cycle2, it decreases. According to Fig. 5, the inductor current  $i$  increases, and then, decreases during one healthy switching period. Therefore, if  $i$  is always increasing or decreasing in a switching period, it can be concluded that a failure has occurred. This detection is computed by using a “Trig” signal providing a pulse on each positive front of the command signal, corresponding to the beginning of the switching period (see Fig. 5).

As shown in Fig. 4, for fault diagnosis by FDA2, a state machine with five states is used. In initial state  $S0$ , the converter is in cycle2 of operation, i.e.,  $\delta = 0$ , and stays in this state until “Trig” passes to “1,” and then, a transition to state  $S1$  occurs. In state  $S1$ , according to the converter conditions, two transitions can occur.

- 1) If no failure has happened, the switch  $SW$  is turned ON,  $i$  increases and “sgn” goes to “1,” thus, a transition to state  $S2$  occurs.
- 2) In the case of an OCF,  $i$  decreases and “sgn” becomes “0.” The conditions for the transition from  $S1$  to state  $S2$  are not satisfied. The system remains in  $S1$  until the next “Trig” pulse, and then, a transition to  $S3$  occurs: the OCF2 is set to “1” and the fault is declared.

The state  $S2$  corresponds to cycle1 of operation, i.e.,  $\delta = 1$ . In this state, two transitions are possible.

- 1) In healthy conditions, the system stays in  $S2$ , and when “ $\delta$ ” becomes “0,”  $i$  decreases and “sgn” passes to “0,” then, a transition to  $S0$  occurs.
- 2) In SCF condition, when “ $\delta$ ” passes to “0,” the switch cannot be turned OFF; no transition occurs to  $S0$  until the next “Trig” pulse, and then, a transition to  $S4$  occurs: the SCF2 is set to “1” and the fault is declared.

FDA2 is slower than the primary algorithm (FDA1) but can detect the faults in any conditions, for any “ $d$ ” and any switching frequency.

Fig. 6 shows the general scheme of the FDA; the general fault detection (FD) signal is set to “1” when one of the algorithms (FDA1 or FDA2) detects a fault.

As described in this section, the proposed FDA can detect and identify OCFs as well as SCFs very quickly, without adding any extra current or voltage sensors in the dc–dc converter. This is

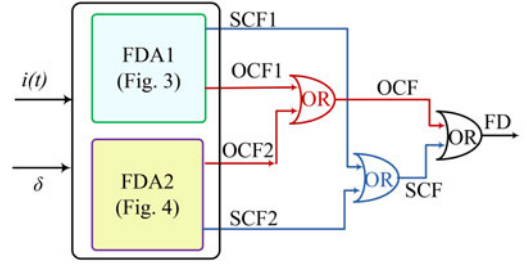


Fig. 6. Fault detection block.

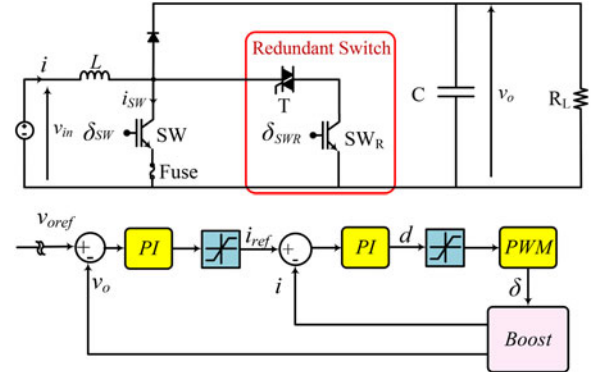


Fig. 7. FT converter with redundant switch and the control loops.

interesting because additional sensors affect the reliability, cost, and weight.

In the following sections, this fault diagnosis method will be used to detect and identify switch failures in a FT dc–dc converter topology.

### III. FT OPERATION

#### A. FT Converter Topology

To ensure service continuity of the studied dc–dc converter for postfault operation, a FT topology is proposed (see Fig. 7). After fault detection and isolation, the faulty switch ( $SW$ ) will be replaced by  $SW_R$  via a bidirectional switch  $T$  (a Triac in this study). Then, the converter can operate in normal conditions, not in degraded mode but without redundancy [3]. Note that, this FT topology is particularly cost optimized for the systems with multiple parallel converters connected to a common bus (see Fig. 8).

This FT topology can be used in a multisource power system where the sources are connected to a dc common bus through dc–dc converters [16]. An example for this system is given in Fig. 8. In this case, for each converter, a fault detection block (as in Fig. 6) must be considered. Each block observes the signals  $i_k$  and switch command  $\delta_k$ ,  $k = 1, 2, \dots, n$  of the concerned converter. When a fault is occurred in the converter  $k$ , the fault detection block detects and identifies the failure. Then, by using the chosen converter reconfiguration strategy, the faulty switch ( $SW_k$ ) can be replaced by the redundant switch ( $SW_R$ ) via the bidirectional switch  $T_k$ . The proposed fault detection method

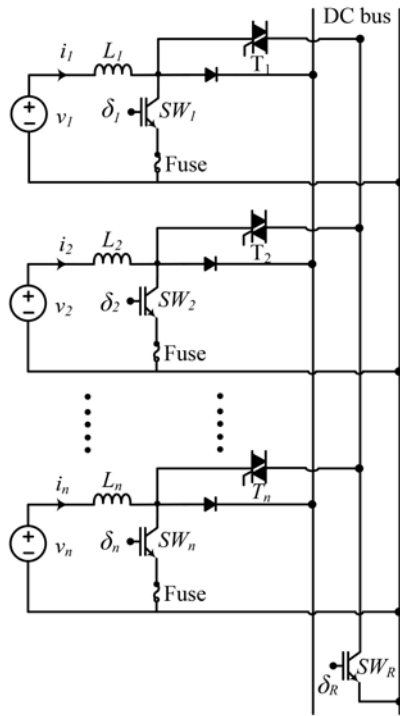


Fig. 8. Multiconverter system with redundant switch.

does depend on neither the type of converter (in single-switch dc–dc converters) nor the number of converters in parallel in the system. This FT topology can be also used in modular dc–dc converters [17] and [18]. The proposed topology requires  $k$  bidirectional switches and only one redundant switch for the whole system. Also no additional sensors are needed. According to the type of switch failure, different reconfiguration strategies are used, which are explained in the following.

### B. Fault Isolating and Reconfiguration

As mentioned before, the second step in FT systems consists on fault isolating and system reconfiguration. According to the type of the switch failure (OCF or SCF), this step might be differently applied to the system. The studied FT converter with its control loops have been shown in Fig. 7. If an OCF occurs on the switch  $SW$ , after fault identification by FDA block, the faulty switch can be immediately replaced by the redundant switch  $SW_R$  via the bidirectional switch  $T$ . But, in case of SCF on  $SW$ , as far as the SCF is present on the switch,  $SW$  cannot be replaced by the redundant switch.

In fact, in the case of a SCF, after fault detection, first the faulty switch should be isolated by means of fuse protection [19]. To reconfigure the converter, FT algorithm observes the current  $i_{sw}$  (switch current in Fig. 7) indirectly through the sign of the “sgn” signal. When  $i_{sw}$  becomes zero this means that the faulty switch is removed by the fuse. To avoid adding a new current sensor per boost in the system,  $i_{sw}$  is observed indirectly. In case of a SCF, the inductance current ( $i$ ) increases during the presence of the fault, then the sign of current slope (“sgn”) is equal to “1.” After fuse breaking, the switch  $SW$  is disconnected

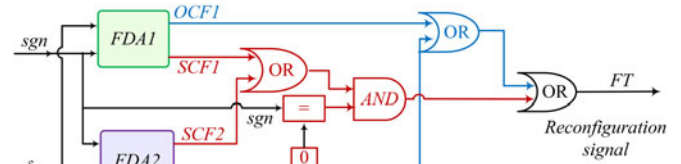


Fig. 9. Reconfiguration strategy.

from the converter and  $i_{sw}$  becomes zero. The inductor current ( $i$ ) passes through the diode and starts decreasing, thus “sgn” will be “0.” At this time, the faulty switch can be replaced by  $SW_R$ .

The reconfiguration strategy is shown in Fig. 9. According to this figure, the redundant switch can replace the faulty switch when the signal FT is “1,” and then, the converter’s service continuity is guaranteed.

## IV. FT AND CONTROL IMPLEMENTATION ON A FPGA CHIP

The traditional model-based simulation has the disadvantage of being unable to exactly replicate real operational conditions. It does not take into account the limitations of the digital controller, like saturation of values in fixed point format during the intermediate calculations and the finite resolution of registers. Also, the fully experimental tests may not be always possible or may lead to the serious system damage, particularly when FT operation is tested. One interesting solution to test the digital controller in a realistic manner is HIL analysis. It reduces design time and allows control algorithm and power converter development avoiding the risk of damaging of the real prototype [20] and [21]. It is especially interesting for testing FT systems. In this paper, a design methodology based on FPGA rapid prototyping so called “FPGA in the loop,” is used to test experimentally the proposed FT operation. In this method, the controller and FT algorithm are implemented in only one FPGA. In order to carry out the FPGA implementation for HIL experiments, three following steps are considered.

### A. Functional Simulation

The first step is the functional simulation. In this stage, the power circuit (plant) and the sensors are modeled using MATLAB/SimPowerSystems. The interfaces and controllers are done using Simulink toolbox. The studied system is first modeled in continuous-time, and then, in discrete-time mode [21].

### B. Mixed Simulation

After having checked and validated the system by functional simulation, it must be modeled with binary synthesizable format. In this step, the Simulink blocks are removed and replaced by proper DSP Builder blocks, in the same Simulink environment. This software integrates hardware description language (HDL) development tools by combining the algorithm development, simulation, and verification capabilities of the



Fig. 10. FPGA in loop prototyping.

MATLAB/Simulink system-level design tools with the very high speed integrated circuits hardware description language (VHDL) design flow including Quartus II (Altera) software. Quartus II software provides a comprehensive design, synthesis, and analysis environment for programmable logic devices (PLDs) applications. DSP builder allows creating the hardware representation of the required digital signal processing functions using MATLAB/Simulink user-friendly algorithm-development environments, for shorter design and implementation cycles. MATLAB functions and native Simulink blocks can be combined with DSP builder library blocks to create FPGA designs that can be simulated under Simulink. It should be noted that some complex functions and Simulink blocks do not have corresponding blocks in the DSP builder library. As a result, these functions or blocks should be constructed from the basic blocks or imported using HDL programming. The power part of the system is remained unchanged in this step, modeled by using SimPowerSystems blocks. Appropriate DSP builder input and output blocks are necessary to convert the Simulink signals in fixed point signals for DSP builder [21].

### C. HIL Simulation

The final step is dedicated to the hardware implementation, the verification and the validation of the digital control algorithm in a HIL-based reconfigurable platform. To achieve these objectives, the digital controller, modeled by DSP builder blocks, are translated into a synthesizable VHDL model. This is done by using the signal compiler block available in DSP builder library. After the generation of the VHDL files, a single HIL block replaces all DSP builder blocks. Then, the HIL block is compiled to provide for a programming object file, which will be used for HIL simulation. Finally, the development board that contains the FPGA can be programmed and used in the HIL simulation.

The development board is linked to a PC via a Joint Test Action Group (JTAG) connection. This interface performs communication between the digital control algorithm (implemented in FPGA) and the plant (emulated by the PC with MATLAB/SimPowerSystems). In the proposed HIL-based reconfigurable platform, at each time-step, the plant model is simulated using MATLAB/SimPowerSystems, and then, the output signals are exported to the FPGA placed in the development board. When the FPGA receives signals from Simulink, it executes the implemented program for one sample interval. The FPGA returns control signals, computed during this step, to Simulink. At this point, one sample cycle is performed.

TABLE I  
PARAMETERS OF THE STUDIED SYSTEM

$L$	9 mH
$C$	1100 $\mu$ F
$R_L$	75 $\Omega$
$V_{out}$	150 V

If the results obtained from the HIL simulation are not correct or the goals are not met, the mixed simulation and the HIL simulation steps must be performed again with the modified digital controller model. Fig. 10 shows the “FPGA in the loop” prototyping. The FPGA implementation procedure is based on a methodology for rapid prototyping, detailed in [21]. In our case, a Stratix DSP S80 development board is used, which includes the Stratix EP1S80B956C6 FPGA chip. Results of functional and mixed simulations are verified before HIL simulation, but in this paper, only the results of HIL and experimental tests are presented. They are commented in the following.

## V. HIL RESULTS

For HIL experimentation, the converter given in Fig. 7 is considered. The controller and FT schemes are implemented on the same FPGA chip and the power system is modeled in MATLAB/Simulink environment using the SimPowerSystems toolbox. The system parameters are given in Table I, which are the same as in the experimental bench.

HIL scenarios consider the converter operating in normal conditions before the occurrence of a switch fault. The FDA detects the failure very quickly and the converter can follow to operate in normal conditions after being reconfigured.

First, the validity of the FT operation in case of an OCF is verified. Fig. 11 shows fault detection and converter reconfiguration when FDA1 detects the fault. In this case, the duty cycle ( $d$ ) is large enough, and then, FDA1 can detect the failure in 23  $\mu$ s after fault occurrence. The redundant switch takes the place of the faulty switch, immediately after fault detection.

Fig. 12 shows the HIL results for an OCF when  $d$  is small. The fault is detected by FDA 2 after two switching periods, and then, FT operation is performed successfully by converter reconfiguration.

Fig. 13 presents the HIL results for a SCF when  $d$  is around 50%. In this case, the fault is detected in one switching period, but the converter reconfiguration is performed after fuse breaking (500  $\mu$ s after fault occurrence in this study, which stands for fuse breaking time). When  $i_{sw}$  and “sgn” become zero, the faulty switch is replaced by the redundant switch.

Fig. 14 presents the HIL results in case of SCF when  $d$  is large. The failure is detected by FDA2 in the following switching period, but the reconfiguration is done after the fuse action.

The obtained HIL results confirm that the fault detection method can detect both SCF and OCF, also the service continuity of the converter is guaranteed by the FT operation.

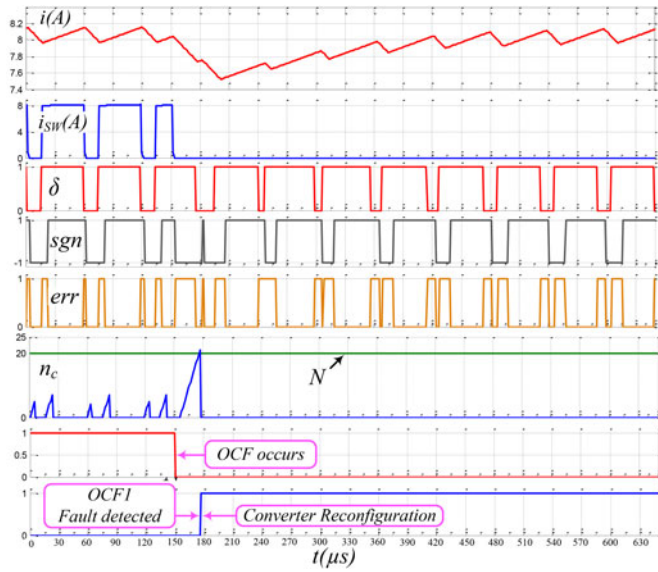


Fig. 11. OCF detection by FDA1 and reconfiguration when  $d$  is large ( $V_{in} = 30\text{ V}$ ,  $V_o = 150\text{ V}$ ,  $d = 80\%$ ).

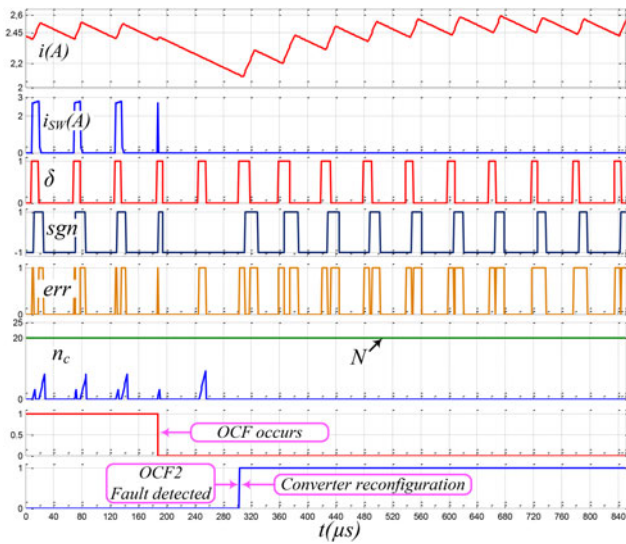


Fig. 12. OCF detection by FDA2 and reconfiguration when  $d$  is small ( $V_{in} = 120\text{ V}$ ,  $V_o = 150\text{ V}$ ,  $d = 20\%$ ).

### VI. EXPERIMENTAL RESULTS

Experimental tests are carried out, based on a boost converter with a redundant switch, as depicted in Fig. 7. The experimental setup is given in Fig. 15. It consists on a Stratix DSP *S80* development board, an interface card, a resistive load, and a programmable TDK source. The switches are IGBTs, SEMIKRON SKM50GB123D devices.

The experimental results for an OCF with a duty cycle around 50% are shown in Fig. 16. The switch SW is kept opened by forcing “ $\delta$ ” to “0” (fault generator block in Fig. 15). As Fig. 16 shows, in this test, an OCF is occurred when the switch SW is OFF. When the switch is turned ON, the current continues to

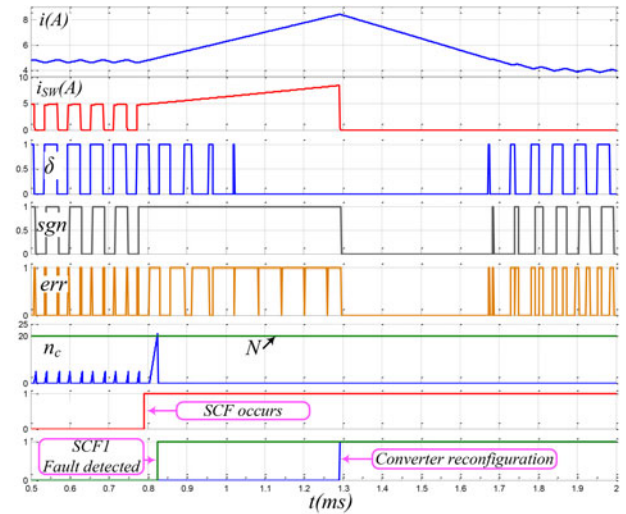


Fig. 13. SCF detection by FDA1 and reconfiguration when  $d = 50\%$  ( $V_{in} = 75\text{ V}$ ,  $V_o = 150\text{ V}$ ).

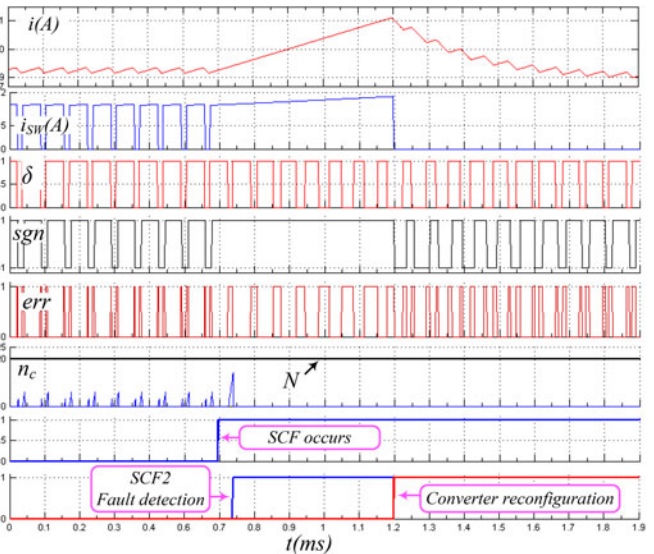


Fig. 14. OCF detection by FDA2 and reconfiguration when  $d$  is large ( $V_{in} = 30\text{ V}$ ,  $V_o = 150\text{ V}$ ,  $d = 80\%$ ).

decrease, and then, the fault is detected after  $20\ \mu\text{s}$  by FDA1 ( $N = 20$ ).

Fig. 17 shows the results for an OCF with duty cycle around 13%. As mentioned previously, when  $d$  is small, FDA2 detects the fault successfully before FDA1, in less than two switching periods.

As shown in Figs. 16 and 17, after fault detection by one of the FDA1 or FDA2, the redundant switch  $SW_R$  takes the place of the faulty switch SW and the service continuity of the converter is guaranteed.

It should be noted that the laminated wiring of the converter supplied by SEMIKRON does not allow to easily add a fuse in series with SW. In this study, SCF is “artificially” generated by means of the switch command  $\delta_{SW}$  (applied switch command

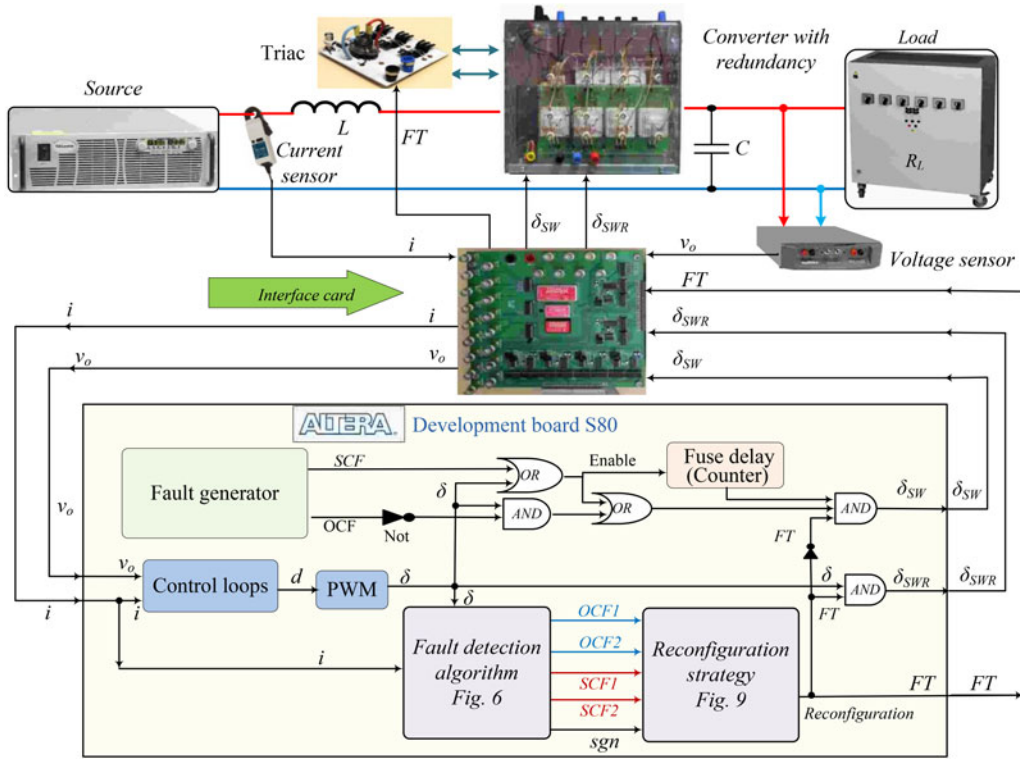


Fig. 15. Synoptic of experimental test bench.

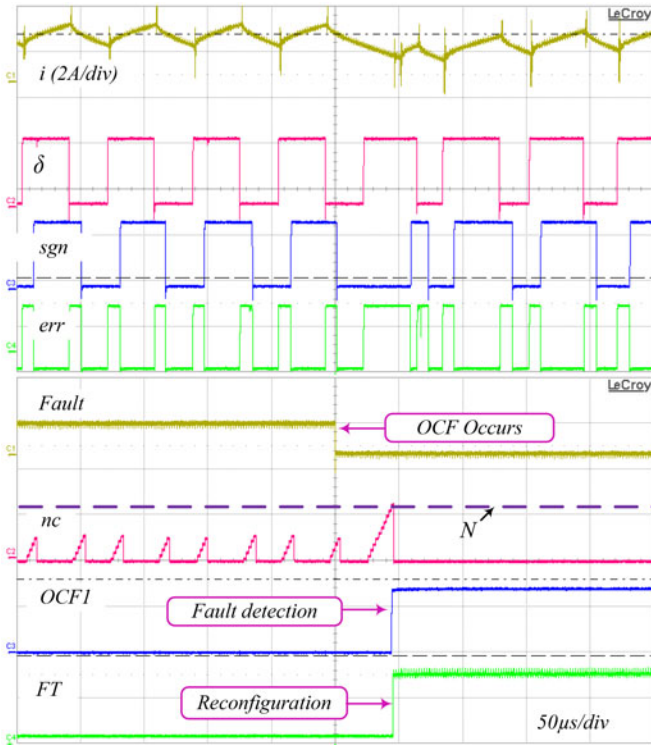


Fig. 16. OCF detection by FDA1 and reconfiguration when  $d = 50\%$  ( $V_{in} = 75\text{ V}$ ,  $V_o = 150\text{ V}$ ).

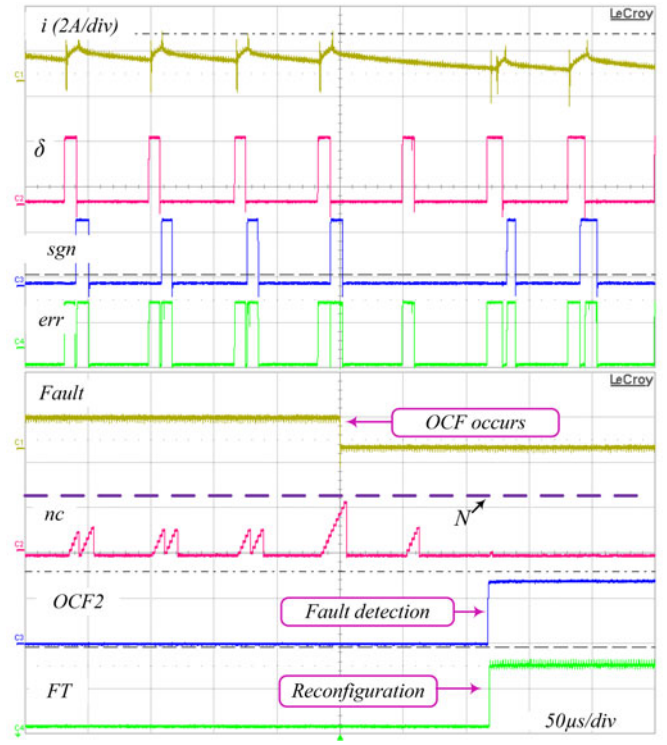


Fig. 17. OCF detection by FDA2 and reconfiguration when  $d$  is small ( $V_{in} = 120\text{ V}$ ,  $V_o = 150\text{ V}$ ,  $d = 20\%$ ).

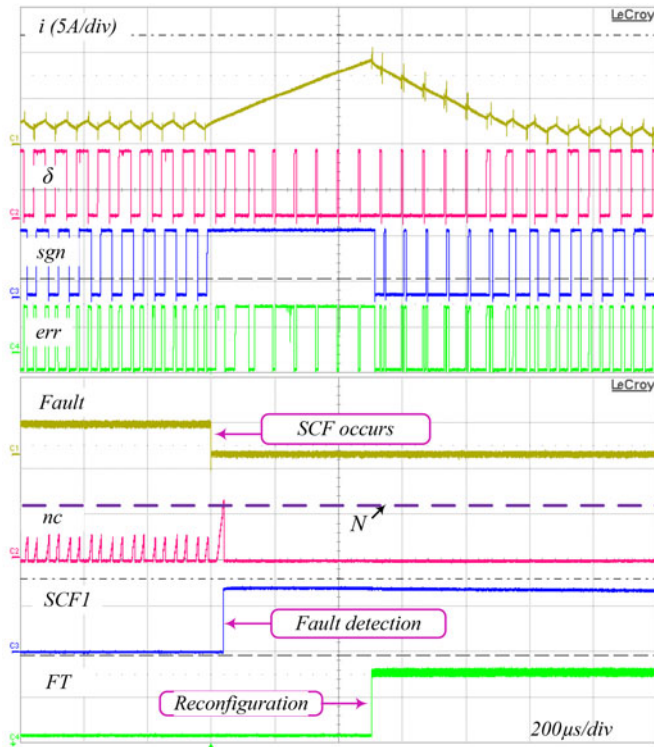


Fig. 18. SCF detection by FDA1 and reconfiguration when  $d = 50\%$  ( $V_{in} = 75\text{ V}$ ,  $V_o = 150\text{ V}$ ).

( $\delta_{SW}$ ) different from  $\delta$  produced by the control loop). Therefore, the fuse is emulated by means of FPGA programming. For this,  $500\ \mu\text{s}$  after SCF generation, the switch command  $\delta_{SW}$  that has been artificially set to “1” is reset to “0.” This reset to “0” imitates the fuse breaking time, and therefore, the end of the permanent switch short circuit. Fig. 18 shows the results for a switch SCF when  $d$  is around 50%. In this case, the fault is detected by FDA1 in less than one switching period. After  $500\ \mu\text{s}$ , the SCF is removed, and then, the reconfiguration signal (FT) is activated. As illustrated in Fig. 18, reconfiguration is performed and the converter operates in the same conditions as pre-fault.

As mentioned before, in case of SCF when  $d$  is large FDA1 cannot detect the SCF successfully and FDA2 detects the fault in less than one switching period. Fig. 19 shows the experimental results for this case. The SCF is detected in less than one switching period, but reconfiguration is done after the fuse action. The converter performs in normal conditions after being reconfigured.

These results show that the proposed FDA can always detect and identify the OCF and SCF correctly. In the worst conditions, the maximum detection time is equal to two switching periods. Also effectiveness of the FT topology is confirmed by these experimental tests. It should be remembered that in real systems, for the SCF, the system reconfiguration will be realized after the reaction of the protection fuse (see Fig. 7).

It is noticeable that for any other type of the dc–dc converter, the proposed FDA can correctly detect switch faults but the FT topology might be adapted according to the converter architecture.

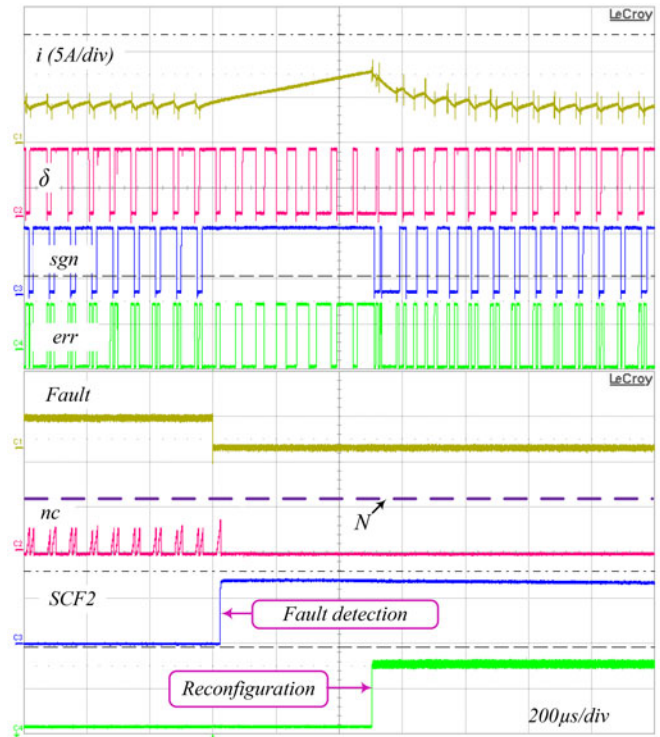


Fig. 19. SCF detection by FDA2 and reconfiguration when  $d$  is large ( $V_{in} = 30\text{ V}$ ,  $V_o = 150\text{ V}$ ,  $d = 80\%$ ).

## VII. CONCLUSION

This paper has proposed a FT operation of a single-switch dc–dc converter based on a fast FPGA-based diagnosis method for open- and short-circuit switch failures.

In this contribution, the fault detection method first introduced in [10] is improved in order to be used in a FT topology. The proposed FDA can identify and declare the type of the fault (OCF or SCF), which is not always proposed in similar methods. The inductor current and switch command are only used to detect the failures. The method is consisted of two subsystems, which work in parallel: FDA1, which is fast and FDA2, which is robust. FDA1 directly compares the switch command and measured value of the sign of the inductor current’s slope. FDA2 is based on the fact that in normal operation of the converter, during a switching period, with restricted duty cycle, the inductor current cannot always increase or decrease.

Also the FT topology based on redundancy is introduced. Thanks to the proposed fault detection method, according to the type of the switch failure (OCF or SCF), two different strategies for the converter reconfiguration are proposed. In case of an OCF, the faulty switch can be replaced by the redundant switch immediately after the fault detection. But in case of a SCF, the converter reconfiguration can be done after the faulty switch is disconnected physically by a protection element such as a fuse [19]. The proposed FDA and FT converter do not require any additional sensor. In fact, the current sensor for the inductor current measurement is the same used for control loops. By this way, without an additional current sensor, fault detection, fault

identification, and converter reconfiguration, even in SCF case, are performed.

HIL and experimental results presented in this paper prove excellent performances of the proposed FT operation for both open and short-circuit switch faults.

To the best of our knowledge, the FT capability proposed in this paper is one of the fastest fault detection and reconfiguration for single-switch dc–dc converter service continuity, in both open and short-circuit cases.

## REFERENCES

- [1] H. Wang, M. Liserre, and F. Blaabjerg, "Toward reliable power electronics: Challenges, design tools, and opportunities," *IEEE Ind. Electron. Mag.*, vol. 7, no. 2, pp. 17–26, Jun. 2013.
- [2] E. Jamshidpour, B. Nahid-Mobarakeh, P. Poure, S. Pierfederici, F. Meibody-Tabar, and S. S. Saadate, "Distributed active resonance suppression in hybrid dc power systems under unbalanced load conditions," *IEEE Trans. Power Electron.*, vol. 28, no. 4, pp. 1833–1842, Apr. 2013.
- [3] H. Wang, M. Liserre, F. Blaabjerg, P. Rimmen, J. Jacobsen, T. Kvisgaard, and J. Landkildehus, "Transitioning to physics-of-failure as a reliability driver in power electronics," *IEEE J. Emerging Select. Topics Power Electron.*, vol. 2, no. 1, pp. 97–114, Mar. 2014.
- [4] A. Amaral and A. Cardoso, "On-line fault detection of aluminium electrolytic capacitors, in step-down dc–dc converters, using input current and output voltage ripple," *IET Power Electron.*, vol. 5, no. 3, pp. 315–322, 2012.
- [5] E. Wolfgang, "Examples for failures in power electronics systems," presented at the ECPE Tutorial on Reliability of Power Electronic Systems, Nuremberg, Germany, 2007.
- [6] N. M. A. Freire and A. J. M. Cardoso, "Fault-tolerant PMSG drive with reduced DC-link ratings for wind turbine applications," *IEEE J. Emerg. Sel. Topics Power Electron.*, vol. 2, no. 1, pp. 26–34, Mar. 2014.
- [7] X. Pei, S. Nie, Y. Chen, and Y. Kang, "Open-circuit fault diagnosis and fault-tolerant strategies for full-bridge dc–dc converters," *IEEE Trans. Power Electron.*, vol. 27, no. 5, pp. 2550–2565, May 2012.
- [8] X. Pei, S. Nie, and Y. Kang, "Switch short-circuit fault diagnosis and remedial strategy for full-bridge dc-dc converters," *IEEE Trans. Power Electron.*, to be published.
- [9] T. Park and T. Kim, "Novel fault tolerant power conversion system for hybrid electric vehicles," in *Proc. IEEE Vehicle Power Propulsion Conf.*, 2011, pp. 1–6.
- [10] M. Shahbazi, E. Jamshidpour, P. Poure, S. Saadate, and M. Zolghadri, "Open-and short-circuit switch fault diagnosis for nonisolated dc–dc converters using field programmable gate array," *IEEE Trans. Ind. Electron.*, vol. 60, no. 9, pp. 4136–4146, Sep. 2013.
- [11] K. Ambusaidi, V. Pickert, and B. Zahawi, "New circuit topology for fault tolerant H-bridge dc–dc converter," *IEEE Trans. Power Electron.*, vol. 25, no. 6, pp. 1509–1516, Jun. 2010.
- [12] S. Nie, X. Pei, Y. Chen, and Y. Kang, "Fault diagnosis of PWM dc-dc converters based on magnetic component voltages," *IEEE Trans. Power Electron.*, vol. 29, no. 9, pp. 4978–4988, Sep. 2014.
- [13] E. Ribeiro, A. Cardoso, and C. Boccaletti, "Open-circuit fault diagnosis in interleaved dc-dc converters," *IEEE Trans. Power Electron.*, vol. 29, no. 6, pp. 3091–3102, Jun. 2014.
- [14] E. Ribeiro, A. Cardoso, and C. Boccaletti, "Fault-tolerant strategy for a photovoltaic dc–dc converter," *IEEE Trans. Power Electron.*, vol. 28, no. 6, pp. 3008–3018, Jun. 2013.
- [15] S. Y. Kim, K. Nam, H. S. Song, and H. G. Kim, "Fault diagnosis of a zvs dc–dc converter based on dc-link current pulse shapes," *IEEE Trans. Ind. Electron.*, vol. 55, no. 3, pp. 1491–1494, Mar. 2008.
- [16] J. Cao and A. Emadi, "A new battery/ultracapacitor hybrid energy storage system for electric, hybrid, and plug-in hybrid electric vehicles," *IEEE Trans. Power Electron.*, vol. 27, no. 1, pp. 122–132, Jan. 2012.
- [17] H. Behjati, A. Davoudi, and F. Lewis, "Modular dc-dc converters on graphs: Cooperative control," *IEEE Trans. Power Electron.*, to be published.
- [18] V. Choudhary, E. Ledezma, R. Ayyanar, and R. Button, "Fault tolerant circuit topology and control method for input-series and output-parallel modular DC-DC converters," *IEEE Trans. Power Electron.*, vol. 23, no. 1, pp. 402–411, Jan. 2008.

- [19] F. Blaabjerg, F. Iov, and K. Ries, "Fuse protection of IGBT modules against explosions," *J. Power Electron.*, vol. 2, no. 2, pp. 88–94, 2002.
- [20] O. Lucia, I. Urria, L. A. Barragan, D. Navarro, O. Jimenez, and J. M. Burdio, "Real-time FPGA-based hardware-in-the-loop simulation test bench applied to multiple-output power converters," *IEEE Trans. Ind. Appl.*, vol. 47, no. 2, pp. 853–860, Mar. 2011.
- [21] S. Karimi, P. Poure, and S. Saadate, "An hil-based reconfigurable platform for design, implementation, and verification of electrical system digital controllers," *IEEE Trans. Ind. Electron.*, vol. 57, no. 4, pp. 1226–1236, Apr. 2010.



**Ehsan Jamshidpour** (S'09) was born in Kermanshah, Iran, in 1975. He received the B.S. degree from the University of Tabriz, Tabriz, Iran, in 1999, the M.S. degree from the Sharif University of Technology, Tehran, Iran, in 2001, and the Ph.D. degree in electrical engineering from Université de Lorraine, Nancy, France, in 2014.

From 2003 to 2010, he was an Assistant Professor in electrical engineering with the Institute for Energy and Hydro Technology, Kermanshah, Iran. He is currently with Université de Lorraine. His research interests include power electronic converters and fault-tolerant converters.



**Philippe Poure** (M'11) was born in 1968. He received the B.S. degree in engineering and Ph.D. degree in electrical engineering from GREEN Laboratory, ENSEM-INPL, Nancy, France, in 1991 and 1995, respectively.

From 1995 to 2004, he was an Associate Professor and worked at the University Louis Pasteur, Strasbourg, France, in the field of mixed-signal system on chip for control and measurement in electrical engineering. Since September 2004, he has been with Université de Lorraine, Nancy, and works on fault-tolerant power systems and field programmable gate array-based real-time applications.



**Eskandar Gholipour** received the B.Sc. degree from the Isfahan University of Technology, Isfahan, Iran, in 1988, the M.Sc. degree from the University of Tehran, Iran, in 1992, and the Ph.D. degree in electrical engineering from GREEN Laboratory, Nancy, France, in 2003.

He has previously held academic positions at Isfahan High Education and Research Institute (affiliated with the Ministry of Energy), Isfahan. He is currently an Assistant Professor at the University of Isfahan. His research interests include power systems modeling, simulation, stability and application of flexible ac transmission systems (FACTS).



**Shahrokh Saadate** born in Tehran, Iran, on May 6, 1958. He received the diplôme d'ingénieur, DEA, thèse de doctorat, and Habilitation à diriger les recherches (1995) from ENSEM, INPL, GREEN laboratory Nancy, France, in 1982, 1982, 1986, and 1995, respectively.

He is currently a Professor at the University of Lorraine, Nancy. His main research interests include power systems reliability, power quality, and renewable energies.